SDUST2020MGCR: a global marine gravity change rate model determined from multi-satellite altimeter data

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Abstract. Investigating global time-varying gravity field mainly depends on GRACE/GRACE-FO gravity data. However, satellite gravity data exhibits low spatial resolution and signal distortion. ~~The satellite altimetry is an important technique for observing global ocean, providing continuous multi-year data that enables the study of high-resolution time-varying marine gravity.~~ Satellite altimetry is an important technique for observing global ocean and provides many consecutive years data, which enables the study of high-resolution marine gravity variations. This study aims to construct a high-resolution marine gravity change rate (MGCR) model using multi-satellite altimetry data. Initially, multi-satellite altimetry data and ocean temperature-salinity data from 1993 to 2019 are utilized to estimate the altimetry sea level change rate (SLCR) and steric SLCR, respectively. Subsequently, the mass-term SLCR is calculated. Finally, based on mass-term SLCR, ~~we construct~~ the global MGCR model on 5′×5′ grids (SDUST2020MGCR) is constructed by applying the spherical harmonic function method and mass load theory. Comparisons and analyses are conducted between SDUST2020MGCR and GRACE2020MGCR resolved from GRACE/GRACE-FO gravity data. The spatial distribution characteristics of SDUST2020MGCR and GRACE2020MGCR are similar in the sea areas where gravity changes significantly, such as ~~the seas near some ocean currents~~ the eastern seas of Japan, the western seas of the Nicobar Islands, and the southern seas of

Greenland. The statistical mean values of SDUST2020MGCR and GRACE2020MGCR in global and local oceans are all positive, indicating that MGCR is rising. Nonetheless, differences in spatial distribution and statistical results exist between SDUST2020MGCR and GRACE2020MGCR, primarily attributable to spatial resolution disparities among altimetry data, ocean temperature-salinity data, and GRACE/GRACE-FO data. Compared with GRACE2020MGCR, SDUST2020MGCR has higher spatial resolution and excludes stripe noise and leakage errors. The high-resolution MGCR model constructed using altimetry data can reflect the long-term marine gravity change in more detail, which is helpful ~~to study~~ in studying ~~Earth mass migration~~ seawater mass migration and its associated geophysical processes. The SDUST2020MGCR model data is available at ~~https://zenodo.org/records/10098524~~ https://zenodo.org/records/10701641 (Zhu et al., 2024).

1 Introduction

The Earth's large-scale mass migration ~~will~~ can cause spatiotemporal changes of the Earth's gravity field (Li et al., 2021). The ocean accounts for about 71% of the global area, and the determination of time-varying marine gravity field is an important research content of the Earth's time-varying gravity field. The high-precision and high-resolution spatiotemporal change information of marine gravity field is useful for monitoring related geophysical processes such as ~~the~~ ice melting, ocean dynamic processes and crustal deformation.

Investigating the Earth's time-varying gravity field mainly relies on repeated observations ~~data~~ of ground gravity and satellite gravity. The large-scale regional gravity field changes can be studied utilizing the multi-year gravity measurement data on the relative gravity surveying network (Liang et al., 2016). The precise gravity field changes in small areas can be investigated using repeated measurement data from absolute gravimeters on gravity stations (Greco et al., 2012). However, the gravimeter observation is costly, and gravimeter marine observation requires a lot of manpower, material and financial resources. The satellite gravity provides the possibility for repeated observations of the Earth's large-scale gravity field. At present, the high-low satellite-to-satellite tracking, low-low satellite-to-satellite tracking and satellite gravity gradient measurement technologies have been developed. The successfully launched gravity satellites include CHAMP, GRACE/GRACE-FO and

GOCE (Flechtner et al., 2021). Among them, the GRACE/GRACE-FO gravity satellite data is the most widely ~~used~~ utilized. The GRACE/GRACE-FO ~~uses the~~ adopts the gravity measurement technology of low-low satellite-to-satellite tracking model~~,~~. ~~it~~ The GRACE/GRACE-FO can obtain time-varying gravity with an accuracy of about 0.1 mGal (Flury and Rummel, 2005) and time-varying equivalent water height with an accuracy of approximately 1 cm (Wahr et al., 2004), but its spatial resolution of one-half wavelength is only 400-500 km (Tapley et al., 2004), the resolution is low, and there is large signal distortion and leakage errors.

The satellite altimetry technique can quickly and repeatedly obtain high-precision global ocean information, becoming an important means to observe and study the ocean. Products such as mean sea level model, static marine gravity field model, and sea level change dataset can be extracted or derived by using altimetry sea surface height (SSH). The Technical University of Denmark team ~~focuses~~ focused on model improvement in the Arctic Ocean, utilizing multi-satellite altimetry data to construct the global mean sea level model (Andersen et al., 2021, 2023) and the global marine gravity field model (Andersen and Knudsen, 2020). The Shandong University of Science and Technology (SDUST) team also ~~constructs~~ constructed the global mean sea level model (Yuan et al., 2023) and the marine gravity field model (Zhu et al., 2022) using altimetry data, ~~improving the model accuracy in offshore areas~~ and the accuracy of the model was improved in the offshore region. The European Copernicus Marine Environment Monitoring Service ~~uses~~ used altimetry data to produce and release daily and monthly gridded sea level change dataset products (Taburet et al., 2019). The Scripps Institution of Oceanography in the United States also ~~develops~~ developed the global altimetry marine gravity field model (Sandwell et al., 2021). So far, the altimetry SSH ~~is of~~ has been at the centimeter-level accuracy, and the calculated global sea level changes have reached millimeter-level accuracy (Nerem et al., 2010). The global altimetry marine gravity field model has had a spatial resolution better than 10 km, and the calculation accuracy ~~is~~ has been about 1 mGal (Sandwell et al., 2013). However, few studies have applied altimetry means to time-varying marine gravity. This paper aims to utilize multi-satellite altimetry data to construct a global marine gravity change rate (MGCR) model (SDUST2020MGCR).

The seawater migration causes changes of the Earth's shape and gravity field. In this study, we propose to utilize the sea level change rate (SLCR) to calculate the

MGCR. Firstly, multi-satellite altimetry data from 1993 to 2019 are utilized to estimate the long-term altimetry SLCR, and EN4.2.1 ocean temperature and salinity data from 1993 to 2019 are utilized to estimate the long-term steric SLCR. Then, the steric SLCR is subtracted from altimetry SLCR to calculate the mass-term SLCR. Finally, this paper applies the method proposed by~~ Zhu et al. (~~Zhu et al.~~,~~ (2023) to estimate long-term MGCR, that is utilizing the mass-term SLCR to construct a global MGCR model based on mass load theory and spherical harmonic function method. In Sect. 2, the study area and data sources are introduced. In Sect. 3, the methods of altimetry SLCR estimation, steric SLCR estimation, mass-term SLCR estimation and MGCR estimation are described in detail, respectively. In Sect. 4, the global SLCR and MGCR models are given, and the model comparisons and analyses are performed. In Sect. 5, the conclusion is presented.

2 Study area and data

2.1 Study area

~~This paper selects the ocean covering 0-360°E and 70°S-70°N as the study area,~~ In this paper, the ocean covering 0-360°E and 70°S-70°N is selected as the study area, as shown in Fig. 1. There are various mass migration phenomena on Earth, such as ocean currents that move seawater in a certain direction, the subduction of oceanic plates to continental plates that form island arcs (e.g. Nicobar Islands) and trenches, and the melting ice due to global warming that reduce the mass of Greenland and Antarctic. The mass migration causes changes in the Earth's gravity field. Constructing the high-resolution time-varying marine gravity model is helpful for the study of the material migration movement.

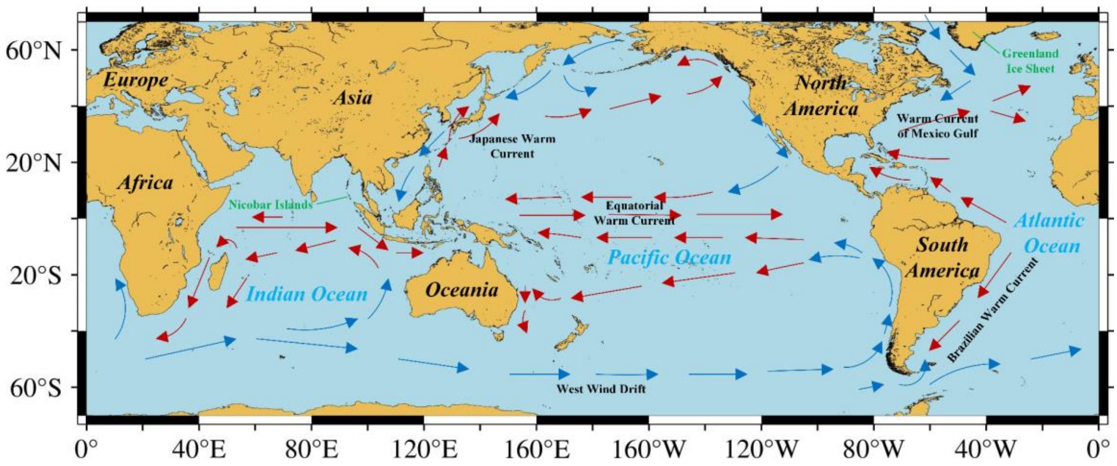


Figure 1. The study area ~~covering~~ covers 0-360°E and 70°S-70°N. The base map was created using Generic Mapping Tools, then we have roughly marked the Continents, the Oceans and the

local sea areas with obvious gravity changes. Red arrows indicate areas where warm currents pass, blue arrows indicate areas where cold currents pass, the Nicobar Islands and Greenland Ice Sheet are also marked.

2.2 L2P satellite altimetry data

The satellite altimetry data includes products at different levels: Level-0 (L0), Level-1 (L1), Level-2 (L2), Level-2 Plus (L2P) and Level-3 (L3). The L0 product is raw telemetered data. The L0 product is corrected for instrumental effects to obtain the L1 product. The L1 product is corrected for geophysical effects to obtain the L2 product. The geophysical effects corrections include corrections for dry and wet tropospheric effects, ionospheric effects, ocean state bias, ocean tides, solid tides, polar tides and atmospheric pressure. The L2 product is also called the geophysical data records (GDR) product. Based on the L2 product, the correction model is updated and replaced, and ~~the~~ new quality control is carried out, such as data validation, data editing and algorithmic improvement, and finally, the L2P product is ~~obtained~~ produced (CNES, 2020). The L3 product is processed river and lake water level time series data.

The L2P product is released by the AVISO (Archiving, Validation and Interpretation of Satellite Oceanographic) data center (https://www.aviso.altimetry.fr/) of the French Centre National d'Études Spatiales (CNES). The L2P product includes data such as sea level anomaly, mean sea level, environmental parameters, and geophysical correction models. Therefore, ~~the corresponding SSH can be calculated using L2P product as needed~~ the L2P product can be utilized to calculate the required SSH. This study utilizes SSH data derived from L2P product to calculate multiple mean sea level models~~,~~ and construct sea level time series data, and finally, the least squares model is applied to estimate high-resolution SDUST altimetry SLCR (Yuan et al., 2021).

In this study, the L2P product from January 1993 to December 2019 is selected, including two observation mission data of 12 altimetry satellites, as shown in Fig. 2. The ERM (Exact Repeat Mission) data is observed by ERS-1/2, Topex/Poseidon (T/P), Geosat Follow On (GFO), Envisat, Jason-1/2/3, HaiYang-2A (HY-2A), Saral, and Sentinel-3A, and the GM (Geodetic Mission) data is observed by ERS-1, Jason-1/2, HY-2A, Cryosat-2, and Saral.

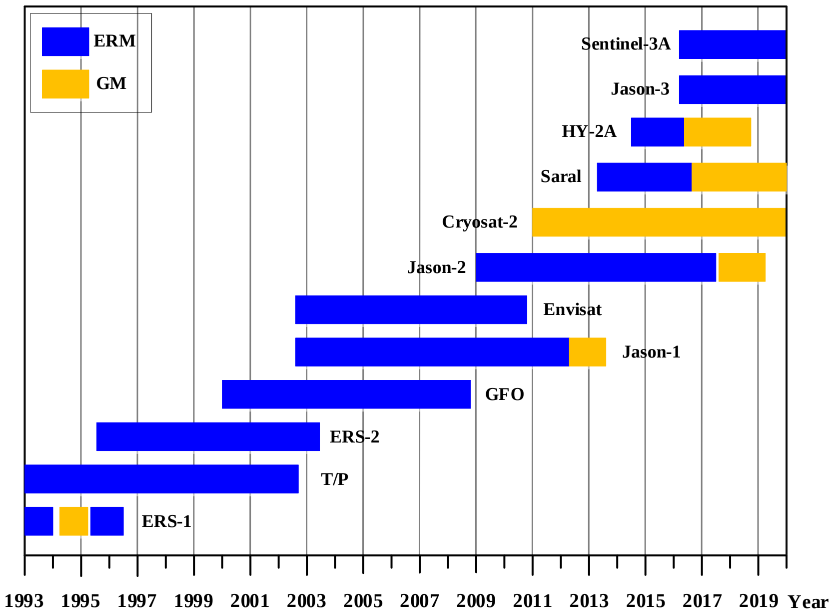


Figure 2. The multi-satellite altimetry data is utilized in this study. The horizontal axis marks the observation time, and the vertical axis marks the name of the altimetry satellite. Blue represents ERM (Exact Repeat Mission) data, and orange represents GM (Geodetic Mission) data.

2.3 EN4 ocean temperature and salinity data

The ocean temperature and salinity data is important basic data for studying global climate change and ocean change. This data can be used to study ~~seawater volume change~~ocean volume changes caused by changes in seawater temperature and salinity, and further to predict global climate disasters. The Argo (Array for Real-Time Geostrophic Oceanography) project aims to use Argo floats to form a global ocean observation network to measure the depth, temperature, salinity and other ~~data~~ parameters of the ocean in real time (Riser et al., 2016). Now, nearly 4000 Argo floats are in working condition, which provide~~s~~ basic data for constructing global ocean temperature and salinity data products.

The various ocean temperature and salinity data products are all affected by irregular floats distribution and model gridding, and their accuracy is basically the same (Hosoda et al., 2008; Roemmich and Gilson, 2009). This study utilizes the EN4.2.1 monthly ocean temperature and salinity product from January 1993 to December 2019 released by the Met Office (https://argo.ucsd.edu/data/argo-data-products/) to study the ~~seawater volume change~~ocean volume change and calculate the steric SLCR. The grid size of EN4.2.1 data is 1°×1° (Good et al., 2013).

2.4 AVISO monthly sea level anomaly data

The AVISO data center of the CNES also released monthly sea level anomaly data product on 15′×15′ grids. The sea level anomaly is referenced to the mean sea level from 1993 to 2012. This product can ~~resolve~~ discern sea level changes on a scale of 150-200 km, with an accuracy of centimeter-level in most sea areas worldwide ~~around the world~~ (Ducet et al., 2000). The AVISO monthly sea level anomaly data integrates observation data from Jason-1/2/3, T/P, Envisat, ERS-1/2, Geosat and GFO, and has been corrected for geophysical influences, such as dry and wet tropospheric influence, ionospheric delay, tides, and the dynamic atmosphere. This study utilizes AVISO monthly sea level anomaly grid data from January 1993 to December 2019 to estimate AVISO altimetry SLCR.

2.5 ICE-6G glacial isostatic adjustment model

The glacial isostatic adjustment (GIA) is the response of the viscoelastic earth to changes in surface ice and seawater load during the last glacial period. The marine gravity changes resolved from satellite gravity data and satellite altimetry data include not only the impact of contemporary Earth mass migration, but also the impact of solid earth mass redistribution driven by GIA. In the research on various Earth science issues, the GIA effect is usually deducted as a linear term. Argus and Peltier et al. (Argus et al., 2014; Peltier et al., 2015) provided the ICE-6G fully normalized geopotential trend coefficients $\dot{C}_{lm}^{GIA}$ and $\dot{S}_{lm}^{GIA}$, with the degree and order fully expanded to 256. In this study, the degree of GIA model is truncated to the 60, which will be deducted from GRACE and altimetry observations. The spherical harmonic coefficients in the ICE-6G model correspond to the interannual trend, and we need to calculate the GIA coefficients for each month to deduct the GIA effect from the GRACE monthly harmonic coefficients. Based on the ICE-6G fully normalized geopotential annual trend coefficients $\dot{C}_{lm}^{GIA}$ and $\dot{S}_{lm}^{GIA}$, the GIA corrected geopotential coefficients ΔC_{lm}^{GIA} and ΔS_{lm}^{GIA} for each month from January 1993 to December 2019 can also be calculated:

$$\begin{cases} \Delta\bar{C}_{lm}^{GIA}(N) = (N/12)\times\dot{\bar{C}}_{lm}^{GIA} & (N = 1,2,\cdots,324) \\ \Delta\bar{S}_{lm}^{GIA}(N) = (N/12)\times\dot{\bar{S}}_{lm}^{GIA} & (N = 1,2,\cdots,324) \end{cases} \tag{1}$$

Where N represents the month, and there are 324 months from January 1993 to December 2019. The GIA corrected geopotential annual trend coefficients and GIA corrected geopotential coefficients are utilized to correct the altimetry MGCR and GRACE/GRACE-FO monthly gravity data, respectively, which can deduct the marine gravity changes due to the long-term oceanic crust deformation driven by GIA.

2.6 GRACE/GRACE-FO monthly geopotential spherical harmonics data

The main purpose of the GRACE system and the GRACE-FO system is to obtain the long-medium wavelength signals of the Earth's gravity field and to detect gravity changes (Han et al., 2004). The orbit parameters of GRACE satellite and GRACE-FO satellite are basically the same, with an orbit inclination of 89.5° and an orbit altitude of about 500 km (Wouters et al., 2014). The main instruments carried by the satellites are GPS receivers and ranging systems. The GRACE/GRACE-FO time-varying gravity data mainly consists of Level-1, Level-2 and Level-3. ~~The Level-1 data is satellite orbit data~~ The Level-1 data is raw observations that include distance changes between the dual-satellite, and acceleration changes due to the Earth's gravitational variations. The Level-2 data is ~~Earth~~ global time-varying gravity field model expressed in spherical harmonic coefficient, which has been corrected for the effects of ocean tides, solid tides, atmosphere tides, pole tides, and non-tidal variability in the atmosphere and ocean (UTCSR, 2018). The Level-3 data is grid format data represented by Mascon products.

The Center for Space Research at the University of Texas (UTCSR) released GRACE/GRACE-FO Level-2 RL06 monthly geopotential spherical harmonics data, including GSM and GAD data. The CSR_GSM data represents the estimation of Earth's monthly average gravity field, and the degree and order ~~is~~ are fully calculated to 60. The CSR_GAD data represents the impact of non-tidal oceanic and atmospheric pressure ~~to~~ on the ocean bottom pressure. The International Center for Global Earth Model (ICGEM, http://icgem.gfz-potsdam.de/home) provides CSR_GSM data filtered by DDK2. The DDK2 is a non-isotropic filtering method, and CSR_GSM_DDK2 contains less stripe noise.

The GRACE/GRACE-FO dataset has 180-months data between April 2002 and December 2019, and any missing GRACE/GRACE-FO data are not reconstructed in this study. The degree-1 coefficients supplementation, degree-2 and degree-3 coefficients replacement are performed on CSR_GSM_DDK2 data. In addition, to match with the satellite altimetry data, the spherical harmonic coefficient of CSR_GSM_DDK2 and CSR_GAD are linearly summed ~~in a linear manner~~:

$$\begin{cases} \bar{C}_{lm}^{GRACE}(N) = \bar{C}_{lm}^{GSM}(N) + \bar{C}_{lm}^{GAD}(N) \\ \bar{S}_{lm}^{GRACE}(N) = \bar{S}_{lm}^{GSM}(N) + \bar{S}_{lm}^{GAD}(N) \end{cases} \tag{2}$$

~~Utilizing the mean spherical harmonic coefficient of 180-months gravity data as the reference gravity field~~The mean spherical harmonic coefficient of 180-months gravity data is utilized as the reference gravity field, and the GRACE/GRACE-FO geopotential spherical harmonic coefficient variations $\Delta\bar{C}_{lm}^{GRACE}$ and $\Delta\bar{S}_{lm}^{GRACE}$ are calculated. Then the monthly equivalent seawater height (ESH) change is ~~obtained~~ calculated (Wahr et al., 1998; Godah, 2019):

~~$$\Delta ESH(N,\lambda,\theta)=\frac{a\rho_E}{3\rho_S}\cdot\sum_{l=0}^{60}\sum_{m=0}^{l}\begin{matrix}[(2l+1)/(1+k_l)]\cdot\bar{P}_{lm}(\cos\theta)\cdot\\ [\Delta\bar{C}_{lm}^{GRACE}(N)\cos m\lambda+\Delta\bar{S}_{lm}^{GRACE}(N)\sin m\lambda]\end{matrix} \quad (3)$$~~

$$\Delta ESH(N,\lambda,\theta)=a\rho_E/3\rho_S\cdot \sum_{l=0}^{60}\sum_{m=0}^{l}(2l+1)/(1+k_l)\cdot\bar{P}_{lm}(\cos\theta)\cdot[\Delta\bar{C}_{lm}^{GRACE}(N)\cos m\lambda+\Delta\bar{S}_{lm}^{GRACE}(N)\sin m\lambda] \quad (3)$$

Where λ and θ are the geocentric longitude and colatitude of the calculation point, a (= 6378136.3 m) is the Earth equatorial radius, ρ_E (= 5514 kg/m^3) is the Earth average density, and ρ_S (= 1028 kg/m^3) is the seawater average density, l and m are degree and order of spherical harmonic coefficient, $\bar{P}$ is the fully normalized associated Legendre function, k is the load Love number.

In this study, the GIA corrected geopotential coefficient is subtracted from the GRACE/GRACE-FO geopotential spherical harmonic coefficient variations:

$$\begin{cases}\Delta\bar{C}_{lm}(N)=\Delta\bar{C}_{lm}^{GRACE}(N)-\Delta\bar{C}_{lm}^{GIA}(N)\\ \Delta\bar{S}_{lm}(N)=\Delta\bar{S}_{lm}^{GRACE}(N)-\Delta\bar{S}_{lm}^{GIA}(N)\end{cases} \quad (4)$$

Then the monthly gravity change is calculated (Godah, 2019):

~~$$\Delta g(N,r,\lambda,\theta)=\frac{GM}{r^2}\sum_{l=0}^{60}\sum_{m=0}^{l}\begin{matrix}(l-1)\cdot(a/r)^l\cdot\bar{P}_{lm}(\cos\theta)\cdot\\ [\Delta\bar{C}_{lm}(N)\cos m\lambda+\Delta\bar{S}_{lm}(N)\sin m\lambda]\end{matrix} \quad (5)$$~~

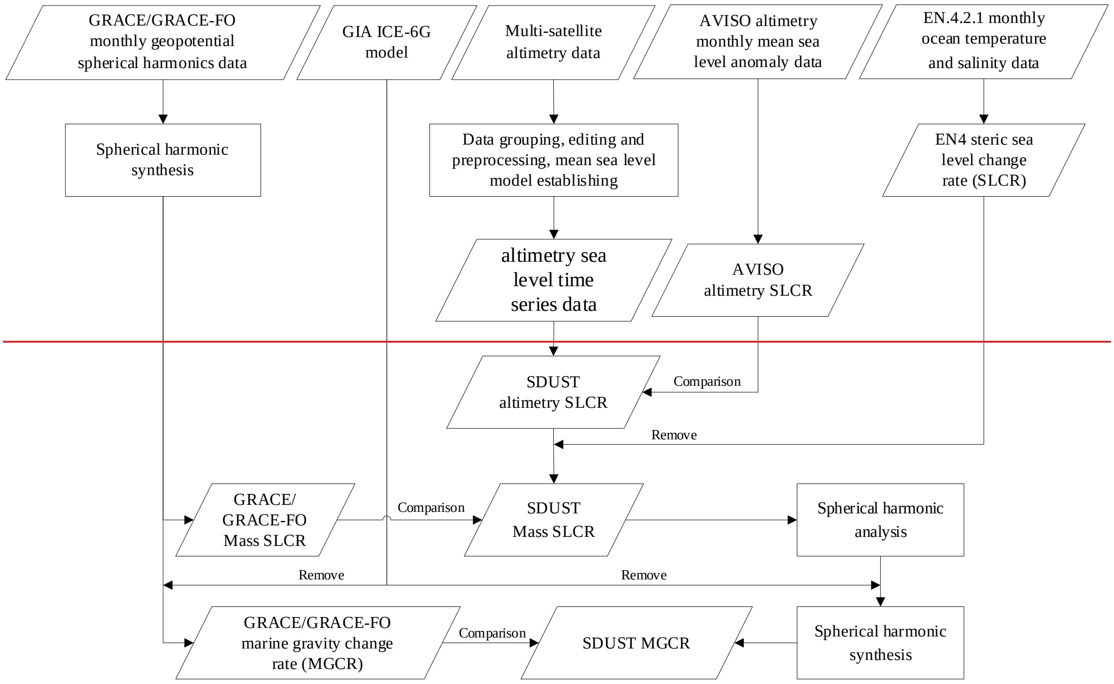
$$\Delta g(N,r,\lambda,\theta)=GM/r^2\cdot \sum_{l=0}^{60}\sum_{m=0}^{l}(l-1)\cdot(a/r)^l\cdot\bar{P}_{lm}(\cos\theta)\cdot[\Delta\bar{C}_{lm}(N)\cos m\lambda+\Delta\bar{S}_{lm}(N)\sin m\lambda] \quad (5)$$

Where r is the geocentric radius, GM is the Earth's gravitational constant, and other variables are the same as before. This study applies the forward modelling method to correct signal leakage errors on GRACE/GRACE-FO ESH time series data and gravity time series data. Finally, the least squares model is applied to estimate the GRACE/GRACE-FO mass-term SLCR and MGCR, and the grid size is 1°×1°.

3 Methodology

The submarine plate motion, the melting of glaciers and ice sheets, and the changes of ocean dynamics all lead to the spatial distribution changes of seawater mass, which in turn causes changes of Earth's shape and gravity field. In static marine gravity field studies, the geoid height is obtained by subtracting the mean sea surface topography from the instantaneous altimetry SSH, and then the geoid height or geoid gradient is utilized to construct the gravity field model (Gopalapillai and Mourad, 1979; Hwang et al., 2002). In this study of time-varying marine gravity based on satellite altimetry, the mean sea surface topography is also regarded as invariable, and it is proposed to utilize sea level change to study marine gravity change.

The flowchart of this research is shown in Fig. 3. Firstly, following the data grouping, editing and preprocessing of L2P ~~multi-~~satellite altimetry data, multiple mean sea level models are calculated to construct altimetry sea level time series data, and then the high-resolution SDUST altimetry SLCR is estimated by applying the least squares model and is compared with the AVISO altimetry SLCR. Then the SDUST mass-term SLCR is calculated by subtracting the EN4 steric SLCR from the SDUST altimetry SLCR, and is compared with the GRACE/GRACE-FO mass-term SLCR. Finally, based on the SDUST mass-term SLCR, the spherical harmonic analysis, GIA effect deduction and spherical harmonic synthesis are performed to obtain the SDUST MGCR, and the SDUST MGCR is compared with the GRACE/GRACE-FO MGCR.



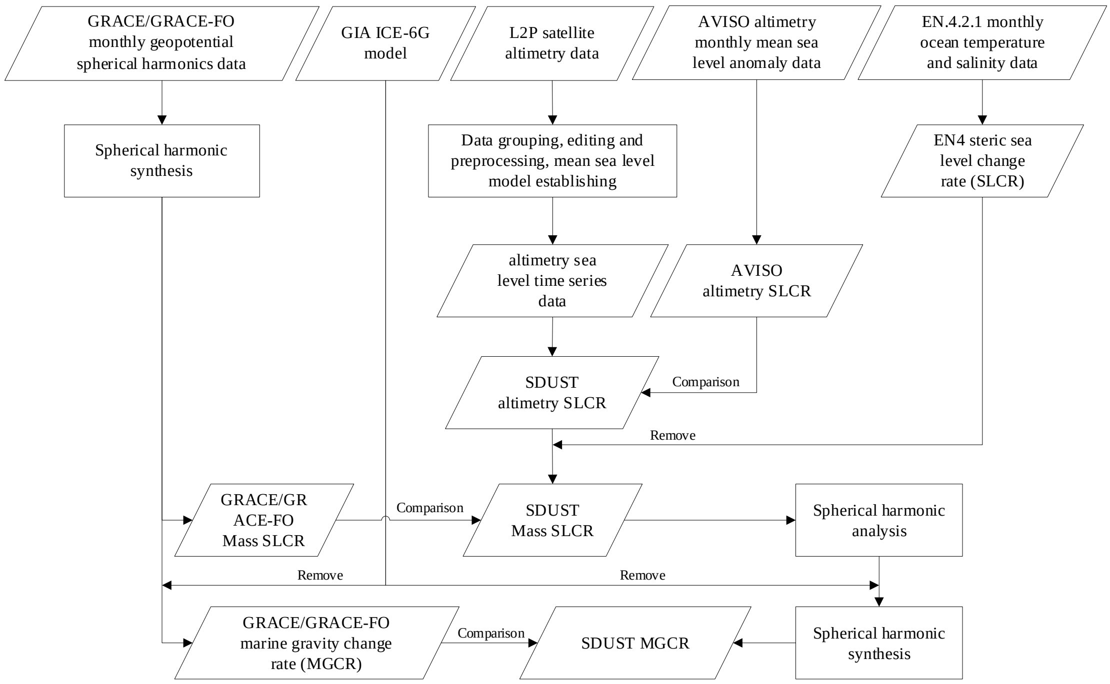


Figure 3. Flowchart of marine gravity change rate derivation from satellite altimetry data

3.1 Estimation of altimetry SLCR

3.1.1 Data grouping and editing

The ~~multi-~~ L2P satellite altimetry data from January 1993 to December 2019 are utilized to construct the high-precision and high-resolution altimetry SLCR model. The obliquity between the Moon orbit and the Earth equator is called the lunar declination angle, with a maximum value of 28.5° and a minimum value of 18.5°, and its change cycle is 18.6 years. This study uses a 19-year moving window and a 1-year moving step to divide the L2P products into 9 groups (1993-2011, 1994-2012, 1995-2013, 1996-2014, 1997-2015, 1998-2016, 1999-2017, 2000-2018, 2001-2019) (Yuan et al., 2020a), which can attenuate the ocean effect of a typical tide with 18.6 years. In addition, in order to improve the modeling accuracy, the low-quality SSH data is excluded according to the thresholds for altimeter, radiometer and geophysical parameters defined in the L2P product handbook (CNES, 2020).

3.1.2 Data preprocessing

Each group of SSH data needs to perform the ocean variability correction to attenuate SSH anomalous variation, SSH seasonal variation and radial orbit error. For the ERM data, the collinear adjustment method is applied to perform ocean variability correction (Rapp et al., 1994). The steps of this method are as follows: firstly, the track with the most observation points among all collinear tracks is selected as the reference track; then, the SSH of each point on other period collinear tracks is interpolated to the corresponding point on the reference track; finally, the average value of the SSH at each point is calculated to obtain a mean track.

The tracks of GM data are not collinear, so the GM data cannot ~~use~~apply the collinear adjustment to perform the ocean variability correction. In this study, the ERM data of T/P series satellites (T/P, Jason-1/2/3) is continuous from 1993 to 2019, thus the tracks of T/P series ERM data after collinear adjustment are selected as reference tracks (Yuan et al., 2021). Then, the SSH difference of the T/P series ERM data between the reference track point and the corresponding collinear track point is calculated (Yuan et al., 2020b). Finally, the SSH correction on the GM track is obtained using the space-time objective analysis interpolation (Yuan et al., 2020b; Schaeffer et al., 2012), and the ocean variability correction for GM data of each satellite is performed.

The short-wavelength ocean variability signals, radial orbit error residuals and geophysical correction residuals in SSH data still affect the modeling of mean sea level. This study uses the crossover adjustment based on the posterior~~i~~ compensation theory of error to continue the correction of SSH data. The details of this crossover adjustment method were described by~~ Huang et al and Yuan et al (~~Huang et al.~~,~~ (2008)~~;~~ and Yuan et al.~~,~~ (2020b). The steps of this method are as follows: firstly, the observation equation of altimetry satellite at the crossover point is established, and the conditional adjustment is performed to obtain the SSH correction v at the crossover point; then, for each altimetry track, a mixed polynomial error model $f(t)$ with independent variable of the measurement time t at observation point is established (Yuan et al., 2021):

$$f(t) = a_0 + a_1(t - T_0) + \sum_{i=1}^{M}(b_i \cdot \cos(2\pi i \cdot (t - T_0)/(T_1 - T_0)) + c_i \cdot \sin(2\pi i \cdot (t - T_0)/(T_1 - T_0))) \quad (6)$$

Where a_0, a_1, b_i and c_i (i = 1, 2, …, M) are the parameters that need to be determined, the value of M can be determined based on the length of the altimetry track (Huang et al., 2008), the T_0 and T_1 respectively represent the start and end observation time of the altimetry track. The correction v is used as the virtual observation to establish the error equation $v = f(t) + \delta$, δ is observation noise, and the unknown coefficients in $f(t)$ are solved by the least squares principle; finally, the solved coefficients and the measurement time t are put in the error model $f(t)$, and the SSH error of each observation point is calculated, and the SSH is corrected.

3.1.3 The mean sea level model establishing

The least squares collocation (LSC) method ~~are ~~is excellent at achieving optimal interpolation using the priori information of observations (Jin et al., 2011). In this study, the LSC method is used to establish the mean sea level model on 5′×5′ grids based on the along-track SSH data. The steps of this method are as follows: firstly, the geoid height calculated from the EGM2008 Global Gravity Field model is selected as the reference SSH, and the SSH data subtracts the reference SSH to obtain the residual SSH; then the along-track residual SSH is de-averaged, and gridded by applying the LSC method, where the covariance function in the LSC method is described by a second-order Markov process (Jordan, 1972); finally, the average value of the residual SSH is added back to the grid value, and the reference SSH is also recovered, a mean sea level model on 5′×5′ grids is established.

3.1.4 Long-term altimetry SLCR model establishing

~~This study calculates nine mean sea level models using nine groups of SSH data,~~ Nine mean sea level models are established in this study using nine groups of SSH data, which constructs sea level time series data with 1-year interval. Then, we apply the least squares method to estimate the long-term altimetry SLCR. The SDUST global altimetry SLCR model (SDUST_Altimetry_SLCR) on 5′×5′ grids is established, and will be compared with the AVISO global altimetry SLCR model (AVISO_Altimetry_SLCR).

3.2 Estimation of steric SLCR

The changes in ocean temperature and salinity cause ~~the seawater volume change~~ocean volume changes, which are also known as steric SSH changes. The steric SSH change at any location can be calculated using the seawater density change (Llovel et al., 2010; Fofonoff and Millard, 1983):

~~$$\Delta SSH_{Steric}(N,\lambda,\theta) = \frac{1}{\rho_S}\int_{-h}^{0} \rho[(N,\lambda,\theta,z,T,S) - \bar{\rho}(\lambda,\theta,z,\bar{T},\bar{S})]dz \qquad (7)$$~~

$$\Delta SSH_{Steric}(N,\lambda,\theta) = \frac{1}{\rho_S}\int_{-h}^{0} \rho(N,\lambda,\theta,z,T,S) - \bar{\rho}(\lambda,\theta,z,\bar{T},\bar{S})dz \qquad (7)$$

Where z represents the seawater depth, ρ, T and S are the density, temperature and salinity of seawater, $\bar{\rho}$, $\bar{T}$ and $\bar{S}$ are the average density, average temperature and average salinity of seawater from January 1993 to December 2019, h is the distance from the sea bottom to the sea surface.

This study utilizes the EN4.2.1 monthly ocean temperature and salinity data from January 1993 to December 2019 to calculate the monthly steric SSH changes on a 1°×1° grid, and then applies the least squares model to estimate the long-term steric SLCR. Finally, the EN4 global steric SLCR model (EN4_Steric_SLCR) with 1°×1° grid size is constructed.

3.3 Estimation of mass-term SLCR

The altimetry sea level change represents the total sea level change, which includes ~~seawater volume change~~ocean volume change and seawater mass change (Yang et al., 2022). Therefore, the EN4 steric SLCR is subtracted from the SDUST altimetry SLCR:

$$SLCR_{Mass} = SLCR_{Altimetry} - SLCR_{Steric} \tag{8}$$

Note that the EN4 steric SLCR model, initially defined on 1°×1° grids, is up-sampled to 5′×5′ using the Kriging interpolation model to facilitate model calculation. Finally, the SDUST global mass-term SLCR model (SDUST_Mass_SLCR) with 5′×5′ grid size is constructed, which will be compared with the GRACE/GRACE-FO mass-term SLCR model.

3.4 Estimation of MGCR

The Earth ~~have~~ has an obvious load response to the surface mass change~~, the load response includes Earth surface displacement and gravity field change.~~. This load response manifests as Earth's surface displacement and gravity field change. The Earth's gravity field change by the mass load response can be calculated by applying the spherical harmonic function method. The spherical harmonic function method can be divided into two steps: the spherical harmonic analysis and spherical harmonic synthesis (Sneeuw, 1994; Godah, 2019).

Firstly, the global mass-term SLCR is expanded into spherical harmonic coefficients:

~~$$\begin{cases} \dot{C}_{lm}^{Mass} = \frac{1}{4\pi a} \cdot \frac{3\rho_0}{\rho_{ave}} \cdot \frac{(1+k_l)}{(2l+1)} \cdot \int_0^{2\pi}\int_0^{\pi} SLCR_{Mass}(\lambda,\theta)\cdot \bar{P}_{lm}(\cos\theta)\cdot \cos m\lambda \cdot \sin\theta d\theta d\lambda \\ \dot{S}_{lm}^{Mass} = \frac{1}{4\pi a} \cdot \frac{3\rho_0}{\rho_{ave}} \cdot \frac{(1+k_l)}{(2l+1)} \cdot \int_0^{2\pi}\int_0^{\pi} SLCR_{Mass}(\lambda,\theta)\cdot \bar{P}_{lm}(\cos\theta)\cdot \sin m\lambda \cdot \sin\theta d\theta d\lambda \end{cases} \tag{9}$$~~

$$\begin{cases} \dot{C}_{lm}^{Mass} = (1/4\pi a)\cdot(3\rho_0/\rho_{ave})\cdot[(1+k_l)/(2l+1)]\cdot \\ \int_0^{2\pi}\int_0^{\pi} SLCR_{Mass}(\lambda,\theta)\cdot \bar{P}_{lm}(\cos\theta)\cdot \cos m\lambda \cdot \sin\theta d\theta d\lambda \\ \dot{S}_{lm}^{Mass} = (1/4\pi a)\cdot(3\rho_0/\rho_{ave})\cdot[(1+k_l)/(2l+1)]\cdot \\ \int_0^{2\pi}\int_0^{\pi} SLCR_{Mass}(\lambda,\theta)\cdot \bar{P}_{lm}(\cos\theta)\cdot \sin m\lambda \cdot \sin\theta d\theta d\lambda \end{cases} \tag{9}$$

Where $\dot{C}_{lm}^{Mass}$ and $\dot{S}_{lm}^{Mass}$ are the fully normalized geopotential annual trend coefficients corresponding to the mass-term SLCR. The grid size of the SDUST mass-term SLCR model is 5′×5′, so its spherical harmonic coefficient is fully calculated to ~~the~~ 2160 degree. The above process is called spherical harmonic analysis.

In order to deduct the GIA effect, this study subtracts the GIA corrected geopotential annual trend coefficients $\dot{\bar{C}}_{lm}^{GIA}$ and $\dot{\bar{S}}_{lm}^{GIA}$ from $\dot{\bar{C}}_{lm}^{Mass}$ and $\dot{\bar{S}}_{lm}^{Mass}$:

$$\begin{cases} \dot{\bar{C}}_{lm} = \dot{\bar{C}}_{lm}^{Mass} - \dot{\bar{C}}_{lm}^{GIA} \\ \dot{\bar{S}}_{lm} = \dot{\bar{S}}_{lm}^{Mass} - \dot{\bar{S}}_{lm}^{GIA} \end{cases} \tag{10}$$

Then according to the spherical harmonic coefficient and the position information, the spherical harmonic domain integration is performed:

$$MGCR(r,\lambda,\theta) = \frac{GM}{r^2}\sum_{l=0}^{2160}\sum_{m=0}^{l}(l-1)(a/r)^l \bar{P}_{lm}(\cos\theta)(\dot{\bar{C}}_{lm}\cos m\lambda + \dot{\bar{S}}_{lm}\sin m\lambda) \tag{11}$$

The above calculation is also called spherical harmonic synthesis. The SDUST global MGCR model (SDUST2020MGCR) with a grid size of 5′×5′ is obtained using the spherical harmonic coefficient of degree 2160. The SDUST2020MGCR will be compared with the GRACE/GRACE-FO MGCR model (GRACE2020MGCR).

4 Results and analysis

This study calculates the long-term SLCR of the sea area covering 70°S-70°N, and finally obtains the long-term MGCR. The grid sizes of models in the study are inconsistent. Therefore, to enhance the presentation of models for comparison, the models with grid sizes smaller than 5′×5′ ~~is~~ are up-sampled to 5′×5′ applying the Kriging interpolation method. The results are discussed and analyzed below.

4.1 The SLCR model

The SDUST_Altimetry_SLCR constructed by using ~~multi~~ L2P satellite altimetry data is shown in Fig. 4a. The AVISO_Altimetry_SLCR constructed by using AVISO monthly sea level anomaly data is shown in Fig. 4b. The Fig. 5 illustrates EN4_Steric_SLCR, which is constructed using EN4.2.1 ocean temperature and salinity data. Furthermore, The SDUST_Mass_SLCR obtained by subtracting EN4_Steric_SLCR from SDUST_Altimetry_SLCR is shown in Fig. 6a, and the GRACE_Mass_SLCR resolved from the GRACE/GRACE-FO monthly geopotential spherical harmonic data is presented in Fig. 6b. Upon comparing the results of long-term altimetry SLCR (Fig. 4), it is evident that the distribution characteristics of the SDUST_Altimetry_SLCR and the AVISO_Altimetry_SLCR are basically consistent on the global scale. Upon comparing the results of the long-term mass-term SLCR

(Fig. 6a and Fig. 6b), there are some differences in the distribution characteristics of SDUST_Mass_SLCR and GRACE_Mass_SLCR on the global scale, however, similarities are identified in local sea areas, such as the eastern seas of Japan, the western seas of the Nicobar Islands, and the southern seas of Greenland.

The variation of terrestrial water storage is unevenly distributed in space. This uneven variation of mass will in turn load the Earth and cause the sea level change, these effects are termed self-attraction and loading (SAL) (Tamisiea et al., 2010). Based on the method proposed by Sun et al. (2019), the GRACE/GRACE-FO data and the fingerprints of mass redistributions (fingerprint is a base function associated with a particular spatial mass distribution) are used, and the sea level equation on an elastic Earth is solved. The SAL effect is estimated, and the result is shown in Fig. 6c. The melting of the Greenland ice sheet due to global warming has reduced terrestrial water storage (Groh et al., 2019). By comparing Fig. 6 (a), (b), (c), the results reflect the correlation between mass-term sea level decline in southern Greenland and a reduction in Greenland terrestrial water storage.

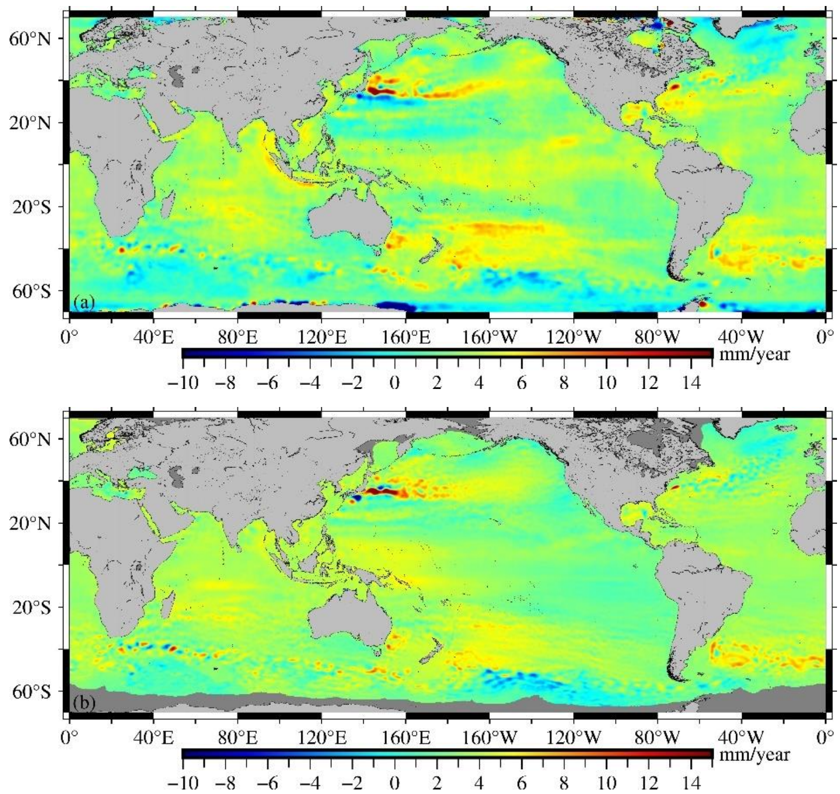


Figure 4. The long-term altimetry SLCR. (a) SDUST_Altimetry_SLCR, (b) AVISO_Altimetry_SLCR.

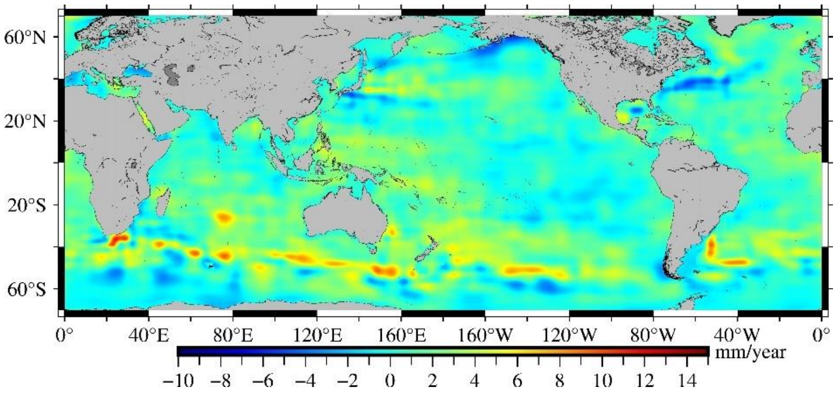


Figure 5. The long-term steric SLCR (EN4_Steric_SLCR).

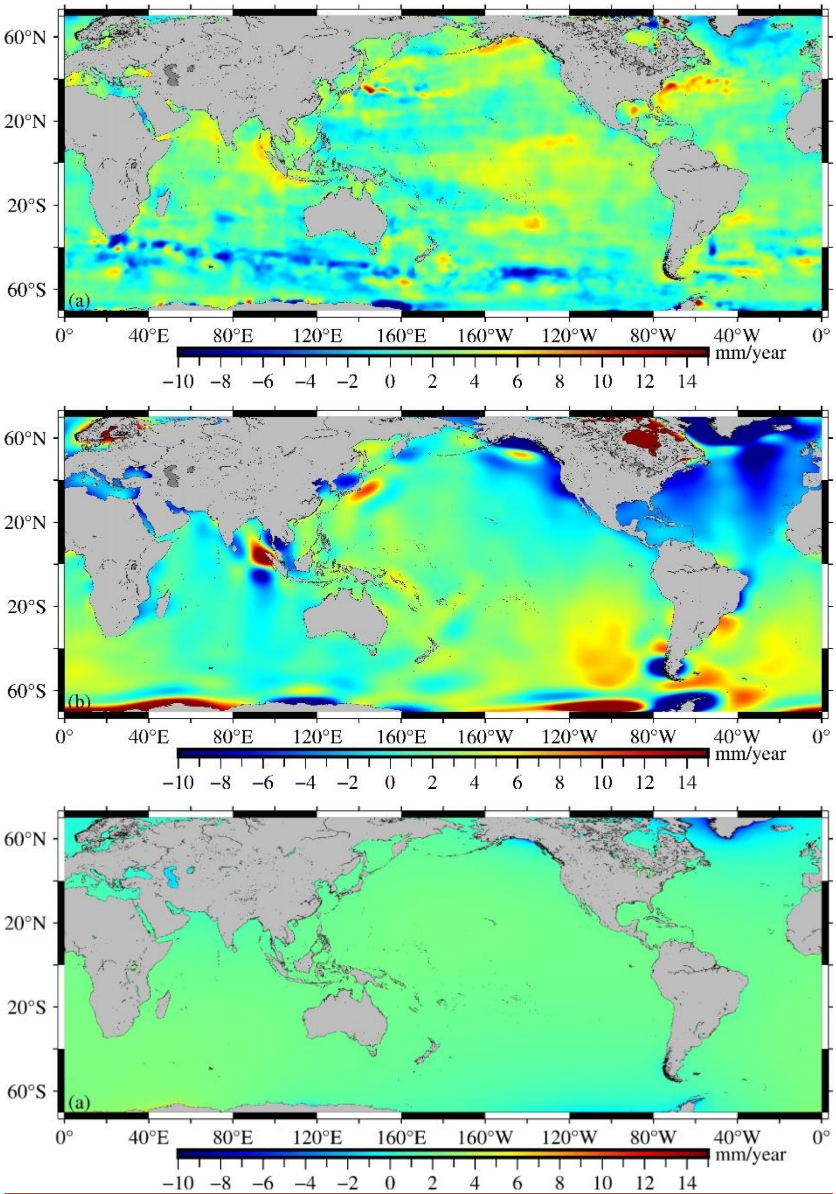


Figure 6. The long-term mass-term SLCR. (a) SDUST_Mass_SLCR, (b) GRACE_Mass_SLCR,. . (c) The SLCR caused by self-attraction and loading effect

The long-term SLCR for the global ocean (60°S~60°N), the Indian Ocean (20°~105°E, 60°S~30°N), the Pacific Ocean (105°E~80°W, 60°S~60°N) and the

Atlantic Ocean (80°W~20°E, 60°S~60°N) are statistically analyzed, and the results are shown in Table 1. The statistical results of SDUST_Altimetry_SLCR and AVISO_Altimetry_SLCR are basically consistent, and the mean value of altimetry SLCR in the global ocean is ~~all~~ about 3.2 mm/year. The results of previous studies show that the mean value of global SLCR is about 3 mm/year (Leuliette and Miller, 2009; Cazenave et al., 2014), which is further confirmed by the SLCR results of this study. There are some differences in the statistical results of SDUST_Mass_SLCR and GRACE_Mass_SLCR, but the mean values for both are all positive, signifying an overall upward trend in the mass-term sea level. In addition, the statistical results show that the standard deviation (STD) of SDUST_Mass_SLCR is smaller than GRACE_Mass_SLCR. The more detailed comparative analysis of the results derived from ~~multi-~~ L2P satellite altimetry and GRACE/GRACE-FO is presented in Sect. 4.2.

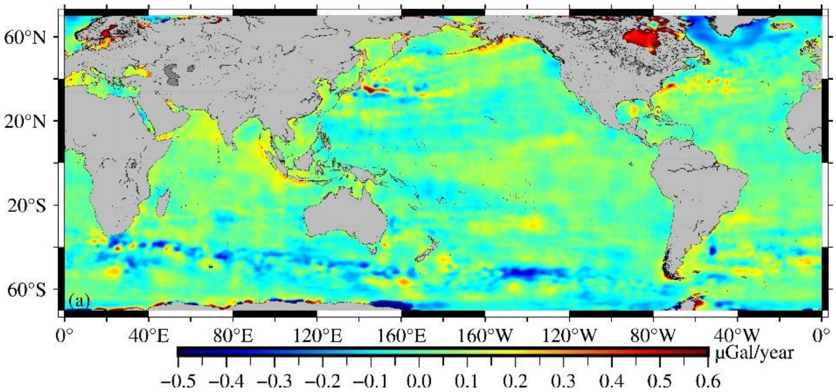
Table 1. Statistical results of long-term SLCR (mm/year)

SLCR Models	Oceans	Max	Min	Mean	STD
SDUST_Altimetry_SLCR	Global	25.75	-9.66	3.18	1.59
	Indian	13.08	-4.69	3.04	1.65
	Pacific	25.75	-9.66	3.22	1.65
	Atlantic	16.05	-9.07	3.21	1.39
AVISO_Altimetry_SLCR	Global	30.28	-15.55	3.22	1.38
	Indian	14.06	-5.72	3.41	1.25
	Pacific	30.28	-15.55	3.15	1.52
	Atlantic	16.77	-2.55	3.25	1.13
EN4_Steric_SLCR	Global	11.72	-5.94	1.19	1.72
	Indian	11.72	-3.87	1.33	1.97
	Pacific	9.58	-5.94	1.17	1.71
	Atlantic	9.72	-5.01	1.13	1.54
SDUST_Mass_SLCR	Global	16.53	-11.52	1.98	1.98
	Indian	9.57	-11.52	1.70	2.27
	Pacific	16.53	-10.10	2.03	1.97
	Atlantic	14.10	-9.71	2.06	1.75
GRACE_Mass_SLCR	Global	44.43	-85.54	1.16	4.46
	Indian	24.03	-12.42	0.69	2.63
	Pacific	42.90	-85.54	1.75	4.45
	Atlantic	44.43	-53.19	0.27	5.18

4.2 The MGCR model

The SDUST2020MGCR constructed by applying the spherical harmonic function method is shown in Fig. 7a, and the GRACE2020MGCR resolved from the GRACE/GRACE-FO satellite gravity data is shown in Fig. 7b. The SDUST2020MGCR and GRACE2020MGCR have similar spatial distribution characteristics in some local sea areas. In the eastern seas of Japan, both

SDUST2020MGCR and GRACE2020MGCR can detect the dipole phenomenon of marine gravity change, which may be related to the gradually increasing ocean circulation (Wang and Wu, 2019). Although the position and range of the dipole are not completely consistent, both the altimetry and GRACE results can reflect the impact of intensified ocean currents on the marine gravity field. The Nicobar Islands in the northeastern Indian Ocean are located on the collision boundary where the oceanic plate subducts beneath the continental plate. Both SDUST2020MGCR and GRACE2020MGCR indicate that the marine gravity in the western seas of the Nicobar Islands is rising, which may be attributed to the material accumulation caused by plate subduction (Zhu et al., 2023). In the southern seas of Greenland, both SDUST2020MGCR and GRACE2020MGCR exhibit a downward trend, which is related to the mass loss of Greenland due to ice melting (Groh et al., 2019). In the seas near the West Wind Drift and the Brazilian Warm Current, both SDUST2020MGCR and GRACE2020MGCR reveal that the high-frequency signals of marine gravity changes are relatively significant, which reflects the influence of ocean currents on the marine gravity field (Zhang et al., 2021; Zhu et al., 2022). However, differences exist in the global scale spatial distribution between SDUST2020MGCR and GRACE2020MGCR. The Fig. 7a shows that GRACE2020MGCR still exhibits strip noise and may contains leakage errors residuals.



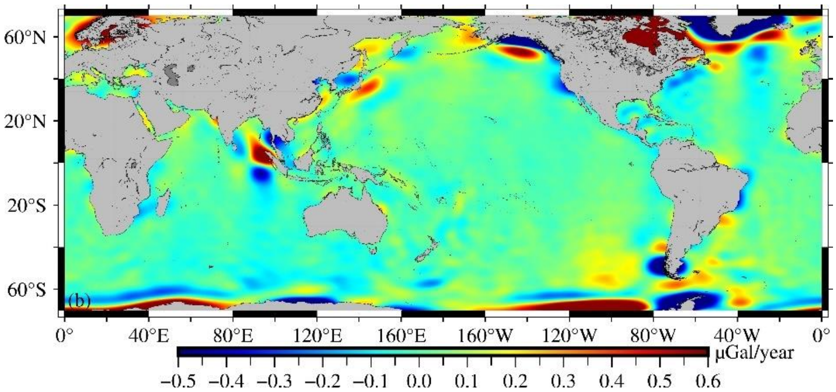


Figure 7. The long-term MGCR. (a) SDUST2020MGCR, (b) GRACE2020MGCR.

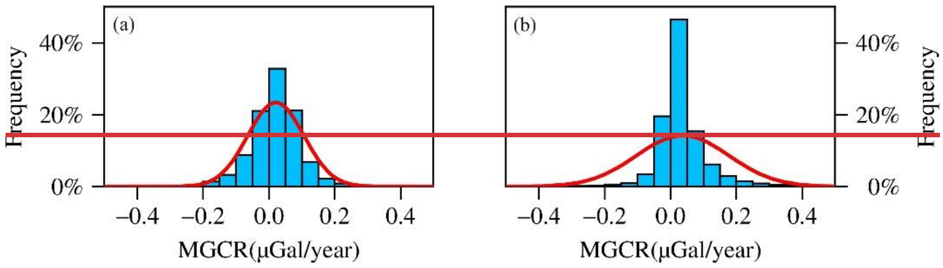
The long-term MGCR in the global ocean, the Indian Ocean, the Pacific Ocean and the Atlantic Ocean are statistically analyzed, and the results are presented in Table 2. ~~The statistical histogram of the long-term MGCR is plotted, as shown in Fig. 8. The power spectral density of MGCR model is estimated by using the periodogram method, as illustrated in Fig. 9. The~~ Table 2 shows that the long-term MGCR mean values for both SDUST2020MGCR and GRACE2020MGCR are positive values in the global and local oceans. The long-term MGCR mean value in global ocean is about 0.02 μGal/year. The statistical results also indicate that the STD of SDUST2020MGCR is smaller than GRACE2020MGCR. The processed GRACE data still have strip noise residuals and signal leakage error residuals (Chen et al., 2014), the large STD of GRACE MGCR may be related to these error residuals. Strip noise, leakage errors and their residuals affect the true physical signal, so the GRACE time-varying marine gravity used for comparison is not precise. In the process of solving the mean sea level using the along-track altimetry data, the altimetry data were preprocessed (such as 19-year moving grouping, collinear adjustment, space-time objective analysis interpolation, and crossover adjustment) to eliminate the influence of anomalous ocean variability and some residuals, so that the STD of the SDUST MGCR is smaller. ~~The Fig. 8 shows that the MGCR value of SDUST2020MGCR and GRACE2020MGCR are mainly between -0.2 and 0.2 μGal/year, and SDUST2020MGCR is more consistent with the Gaussian normal distribution. The Fig. 9 shows that the signal strength of SDUST2020MGCR is greater than GRACE2020MGCR in the entire frequency domain.~~

Table ~~1~~2. Statistical results of long-term MGCR (μGal/year)

	Oceans	Max	Min	Mean	STD
SDUST2020MGCR	Global	3.28	-1.41	0.02	0.09
	Indian	0.47	-0.44	0.03	0.08
	Pacific	1.37	-0.48	0.02	0.08
	Atlantic	3.28	-1.41	0.03	0.09
GRACE2020MGCR	Global	1.00	-3.60	0.03	0.14
	Indian	1.00	-0.51	0.01	0.10
	Pacific	0.95	-3.60	0.03	0.14
	Atlantic	0.94	-1.52	0.06	0.15

The statistical histogram of the long-term MGCR is plotted, as shown in Fig. 8. The Fig. 8 shows that the MGCR value of SDUST2020MGCR and GRACE2020MGCR are mainly between -0.2 and 0.2 μGal/year, and SDUST2020MGCR is more consistent with the Gaussian normal distribution.

Utilizing the periodogram method, the power spectral density of MGCR model is estimated, and the result is illustrated in Fig. 9. The vertical axis of Fig. 9 is scaled by a factor of 10lg, the horizontal axis is wavelength. In this study, the GRACE2020MGCR was constructed using the GRACE model of spherical harmonic degree 60. The spherical harmonic degree can be calculated from wavelength using the conversion formula 40000/wavelength. The Fig. 9 shows that when the wavelength exceeds 1110 km, corresponding to a spherical harmonic degree less than 36, the signal strength of GRACE2020MGCR is greater than SDUST2020MGCR. When the wavelength is greater than 660 km and less than 1110 km, corresponding to a spherical harmonic degree greater than 36 and less than 60, the signal strength of GRACE2020MGCR is lower than SDUST2020MGCR, which suggests that it is possible to improve the GRACE model of spherical harmonic degree 60 by using altimetry data. When the wavelength is less than 660 km, the signal strength of SDUST2020MGCR remains greater than GRACE2020MGCR.



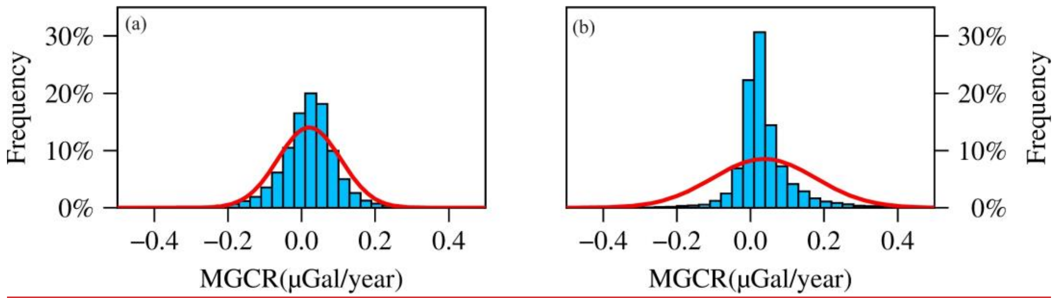


Figure 8. The statistical histogram of the long-term MGCR. (a) SDUST2020MGCR, (b) GRACE2020MGCR.

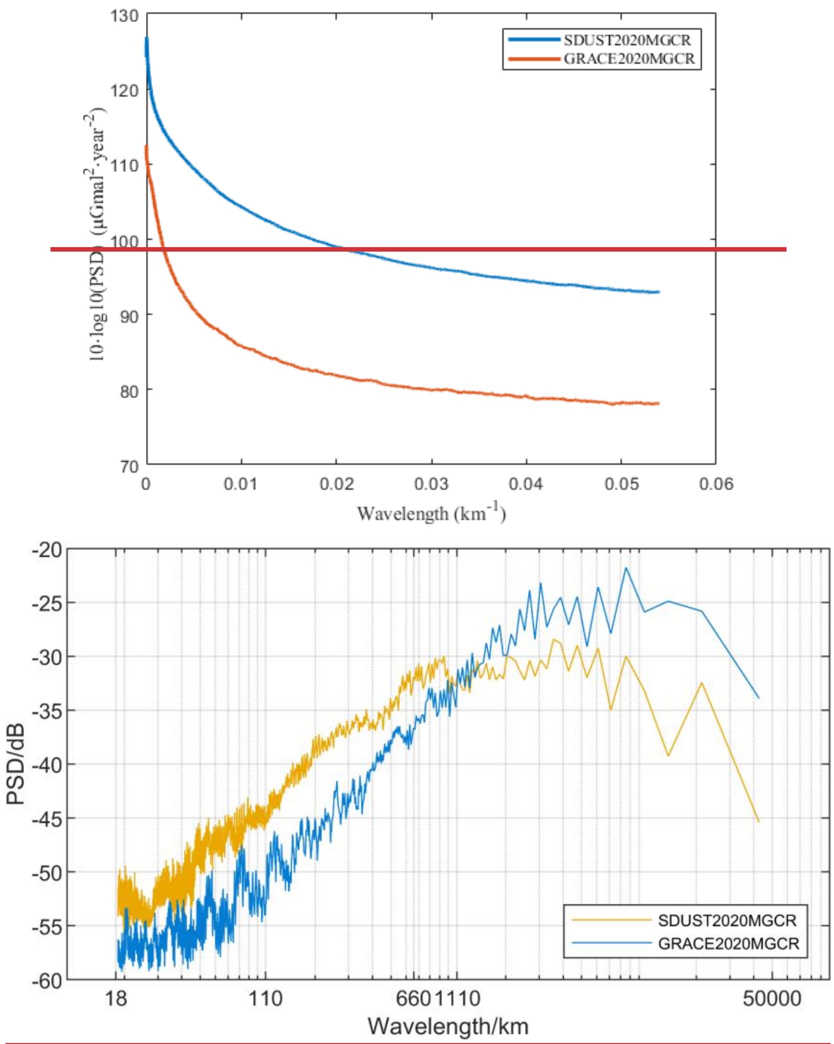


Figure 9. The power spectral density of MGCR model.

There are some differences in spatial distribution and statistical results between SDUST2020MGCR and GRACE2020MGCR, which are mainly related to the following factors: (1) The spatial resolution of the GRACE/GRACE-FO monthly gravity data is low, its signal contains north-south strip noise and leakage errors, and both error correction processing and error residuals make real geophysical signals distorted and weak. (2) The satellite altimetry data exhibits relatively high spatial resolution, but its time-varying marine gravity may be affected by SSH measurement errors. (3) The EN4.2.1 ocean temperature and salinity data suffer accuracy problems that arise from irregular spatial data distribution and model gridding. Consequently, the spatial distribution and statistics of SDUST2020MGCR and GRACE2020MGCR are challenging to mutually validate.

4.3 Reliability analysis of model

In many previous studies, there is a problem that the independent observations of

GRACE satellite and altimetry satellite do not match well in terms of spatial resolution and observation accuracy, the GRACE and altimetry results are difficult to verify each other (Willis et al., 2008; Feng et al., 2014). Therefore, it is not possible to use the GRACE results to assess the reliability of the altimetry results. In this study, we conducted a reliability analysis aimed at informing potential dataset users about regions where reliability is diminished.

We split the altimetry data in half, use data groups 1-5 to estimate SLCR1 and data groups 5-9 to estimate SLCR2, and then calculate the difference between the two SLCR, and the result is depicted in Figure 10. Where SLCR differ substantially, the reliability of altimetry results may be reduced. The results of Figure 10 show that the noise from altimetry observations has little effect on SLCR in most global ocean areas. The large SLCR differences are mainly observed near the ocean current areas. On the one hand, the quality of altimetry data is poor in regions with strong ocean currents (Vignudelli et al., 2006; Zhu et al., 2022), especially the West Wind Drift, and the reliability of altimetry SLCR may be low. On the other hand, global climate change leads to changes in the intensity of ocean current activities (Du et al., 2019), which objectively causes significant sea level changes near the ocean current areas. Indeed, the SLCR is estimated applying the 19-year moving window method, which can effectively mitigate the impact of ocean currents. In summary, SLCR can overcome the influence of noise from altimetry observation, to further solve the relatively stable and reliable MGCR.

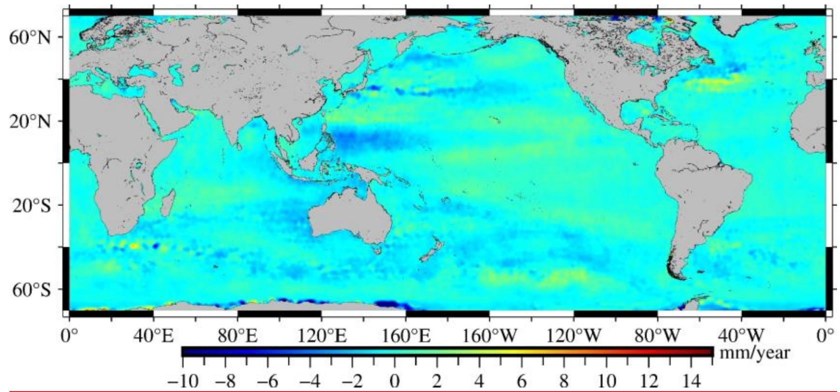


Figure 10. Difference of altimetry SLCR between two periods.

5 Data availability

~~The global marine gravity change rate model (SDUST2020MGCR) can be downloaded on the website of https://zenodo.org/records/10098524 (Zhu et al., 2023b). The dataset contains geospatial information (latitude, longitude) and marine~~

gravity change rates.

The global marine gravity change rate model (SDUST2020MGCR) can be downloaded on the website of https://zenodo.org/records/10701641 (Zhu et al., 2024). In this study, the GIA effect is deducted as a known factor, and thus the marine gravity change rate is investigated for other factors. In fact, many science applications that require mass change trends over the oceans would require both ocean mass signals and solid Earth effects (GIA effects and seismic deformations). Therefore, the dataset contains geospatial information (latitude, longitude), SDUST2020MGCR and an attachment data (GIA MGCR). The users can sum the SDUST2020MGCR with the GIA MGCR to obtain a full-signal MGCR, or if users do not want to consider the GIA effects, they can just use the SDUST2020MGCR.

6 Conclusions

This study utilized multi-satellite altimetry data and ocean temperature-salinity data from 1993 to 2019 to estimate the global mass-term SLCR. Based on the spherical harmonic function method and mass load theory, we constructed the global MGCR model (SDUST2020MGCR) on 5′×5′ grids. This model provides the more detailed information of changes in the marine gravity field.

The SDUST2020MGCR and the GRACE/GRACE-FO global MGCR model (GRACE2020MGCR) were compared. In local sea areas where marine gravity changes significantly, such as the eastern seas of Japan, the western seas of the Nicobar Islands, and the southern seas of Greenland, the SDUST2020MGCR and GRACE2020MGCR have certain similarities in spatial distribution. However, there are some differences in the global spatial distribution between SDUST2020MGCR and GRACE2020MGCR, which is mainly related to the mismatch in spatial resolution among satellite altimetry data, satellite gravity data, and ocean temperature-salinity data. Compared with the low-resolution GRACE2020MGCR, the SDUST2020MGCR not only has a higher spatial resolution, but also excludes the strip noise and leakage errors, so it can more realistically reflect the long-term changes in the marine gravity field. The use of altimetry data can maximize the opportunity to construct a high-resolution, high-precision MGCR model. Although the altimetry MGCR may be less reliable at ocean current areas, the construction of altimetry MGCR can fill the data gap compared to inability of GRACE to detect small-scale marine gravity changes caused by ocean currents.

The marine gravity changes are mainly caused by the seawater mass changes: (1) global warming leads to melting of glacier and ice sheet, sea level rise and seawater mass increase, which in turn affects the global marine gravity field. (2) the climate warming leads to change of ocean dynamics, such as changes in the intensity and number of tropical cyclones and enhancement of ocean circulation, which causes changes in the seawater mass distribution, and then affects the marine gravity field. (3) The variation of terrestrial water storage is unevenly distributed in space, this unevenly variation of mass will in turn load the Earth, named as self-attraction and loading effect, which causes changes in seawater mass distribution, and consequently changes in marine gravity. SDUST2020MGCR has higher spatial resolution and excludes stripe noise and leakage errors, it can more realistically reflect the long-term marine gravity change in more detail, which is meaningful for the study of seawater mass migration and its associated geophysical processes.

~~The marine gravity changes are the comprehensive result of mass migration in various layers of the Earth, such as the oceanosphere and lithosphere. Utilizing the high-resolution MGCR model derived from multi-satellite altimetry data, and integrating it with other Earth dataset, will be helpful to study the Earth material migration.~~

Author contributions.

FZ and JG designed the research and developed the algorithm. HZ downloaded altimeter data and other data. FZ carried out the experimental results and wrote the manuscript. LH, HS and XL gave related comments for this work.

Competing interests.

The contact author has declared that none of the authors has any competing interests.

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