

# An all-sky 1 km daily land surface air temperature product over mainland China for 2003–2019 from MODIS and ancillary data

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**Abstract.** Surface air temperature ( $T_a$ ), as an important climate variable, has been used in a wide range of fields such as ecology, hydrology, climatology, epidemiology, and environmental science. However, ground measurements are limited by poor spatial representation and inconsistency, while reanalysis and meteorological forcing datasets suffer from coarse spatial resolution and inaccuracy. Previous studies using satellite data have mainly estimated  $T_a$  under clear-sky conditions, or with limited temporal and spatial coverage. In this study, an all-sky daily mean land  $T_a$  product at 1 km spatial resolution over mainland China for 2003–2019 has been generated mainly from the Moderate Resolution Imaging Spectroradiometer (MODIS) products and the Global Land Data Assimilation System (GLDAS) dataset. Three  $T_a$  estimation models based on random forest were trained using ground measurements from 2384 stations for three different clear-sky and cloudy-sky conditions. The random sample validation results showed that  $R^2$  and root mean square error (RMSE) values of the three models ranged from 0.984 to 0.986 and 1.342 K to 1.440 K, respectively. We examined the spatiotemporal patterns and land cover type dependences of model accuracy. Two cross-validation (CV) strategies of Leave-Time-Out (LTO) CV and Leave-Location-Out (LLO) CV were also used to evaluate the models. Finally, we developed the all-sky  $T_a$  dataset from 2003 to 2009, and compared it with the China Land Data Assimilation System (CLDAS) dataset at  $0.0625^\circ$  spatial resolution, China Meteorological Forcing Data (CMFD) dataset at  $0.1^\circ$  spatial resolution, and GLDAS dataset at  $0.25^\circ$  spatial resolution. Validation accuracy of our product in 2010 was significantly better than other datasets, with  $R^2$  and RMSE values of 0.992 and 1.010 K, respectively. In summary, the developed all-sky daily mean land  $T_a$  dataset has achieved satisfactory accuracy and high spatial resolution simultaneously, which fills the current dataset gap in this field and plays an important role in the studies of climate change and hydrological cycle. This dataset is freely available at <http://doi.org/10.5281/zenodo.4399453> (Chen et al., 2021b) and the University of Maryland ([http://glass.umd.edu/Ta\\_China/](http://glass.umd.edu/Ta_China/)) currently. A sub-dataset that covers Beijing generated from this dataset is also publicly available at <http://doi.org/10.5281/zenodo.4405123> (Chen et al., 2021a).

## 1 Introduction

Surface air temperature ( $T_a$ ) is one of the most important variables in a wide range of fields including ecology, hydrology, climatology, epidemiology, and environmental science (Goetz et al., 2000; Stisen et al., 2007; Vancutsem et al., 2010; Zhang

et al., 2018).  $T_a$  refers to the atmospheric temperature 1.5–2 m above the surface, which represents the thermal state information of the surface and the lower atmosphere. It influences the carbon cycle through the biophysical effects of vegetation and regulates many surface processes such as photosynthesis, respiration, and evaporation (Khesali and Mobasheri, 2020). Reliable estimates of  $T_a$  at fine spatiotemporal resolution are importance to better understand and simulate complex surface processes and reveal changes due to climate change or local disturbances (Guan et al., 2013). Moreover, in the context of continuous global warming, meteorological disasters caused by frequent extreme weather events and consequential social and economic losses are increasing gradually. A deep understanding of the spatiotemporal patterns of  $T_a$  is also of great guiding significance for disaster prevention and reduction.

However, because of its proximity to the interface between land/ocean and atmosphere, the near-surface air is influenced by various exchange processes between these three Earth system compartments (Schwingshackl et al., 2018). The spatiotemporal patterns of  $T_a$  can vary and be complicated due to the heterogeneity of various environmental factors (such as solar radiation, latitude, underlying surface, cloud cover, and season) that impact the energy balance of the land-atmosphere system (Benali et al., 2012; Chen et al., 2015; Prihodko and Goward, 1997).

The  $T_a$  data is one of the most frequent observation data recorded by meteorological stations. In situ  $T_a$  usually has reliable accuracy and high temporal resolution; however, it has some flaws, such as limited spatial representation, measurement inconsistency, and uneven spatial distribution of ground stations (Jang et al., 2014; Prihodko and Goward, 1997). Geographical interpolation methods such as inverse distance weighting (IDW), kriging, and spline function have been widely used to estimate the spatial distribution of  $T_a$  (Benavides et al., 2007; Ishida and Kawashima, 1993; Kurtzman and Kadmon, 1999). However, these methods usually consider only the autocorrelation of  $T_a$ , ignoring the complex factors that lead to its heterogeneity. The accuracy of interpolated  $T_a$  is greatly affected by station network density, which leads to relatively poor accuracy being obtained in areas with sparse stations (Stisen et al., 2007; Vogt et al., 1997). Therefore, the accuracy of interpolated  $T_a$  may have significant errors associated with unrepresentative spatial patterns, and there can be great uncertainty in describing the spatial patterns of  $T_a$  over large areas in this way (Benali et al., 2012; Rao et al., 2018).

Remotely sensed data have provided unprecedented spatial coverage at regional and global spatial scales (Liang, 2004). Over the past few decades, many schemes have been developed to estimate  $T_a$  from remotely sensed data. The strong physical relationship between the land surface temperature (LST) and  $T_a$  has become the research basis of many  $T_a$  estimation methods. Generally speaking, the LST-based  $T_a$  estimation methods can be divided into three distinct categories. The first type is the traditional statistical method, including univariate regression method to establish a linear relationship between  $T_a$  and LST, and multiple regression methods considering various variables (such as solar zenith angle, elevation, Julian day, etc.) in addition to LST (Lin et al., 2012; Zeng et al., 2015). The second is the temperature-vegetation index (TVX) method, based on the negative correlation between normalized difference vegetation index (NDVI) and LST in the study area (Stisen et al., 2007; Vancutsem et al., 2010; Zhu et al., 2013). The third is the land surface energy-balance physical method, which uses crop water stress index (CWSI) and the aerodynamic resistance to estimate  $T_a$ . This method has a good physical basis, but usually relies on numerous input parameters (such as roughness, soil physical properties), which are always difficult to obtain (Sun et al.,

65 2004). In principle, the atmospheric profile products from satellite observations include temperature profile of the entire atmosphere, but usually require additional processes to obtain  $T_a$ . The Moderate Resolution Imaging Spectroradiometer (MODIS) atmospheric profile product has been used for this purpose (Bisht and Bras, 2010; Borbas and Menzel, 2017; Famiglietti et al., 2018; Zhu et al., 2017). Generally, traditional statistical methods were commonly used but have reported low accuracy. In recent years, machine learning methods, particularly deep learning methods, such as support vector machine  
70 (Zhang et al., 2016), artificial neural network (Jang et al., 2004; Zhang et al., 2016), M5 model trees (Emamifar et al., 2013), random forest (RF) models (Noi et al., 2017; Xu et al., 2014; Zhang et al., 2016), cubist models (Meyer et al., 2016; Noi et al., 2017; Rao et al., 2019), and advanced deep learning methods (Shen et al., 2020), have been gradually applied to  $T_a$  estimation from satellite data because of their stronger learning ability to capture the complex nonlinear relationship between various factors.

75 Most LST-based  $T_a$  estimation methods mentioned above are suitable only for clear-sky conditions as the current LST datasets are mainly derived from satellite thermal infrared radiances (TIR) that are susceptible to cloud contamination (Liang et al., 2019; Ma et al., 2020). Currently, there are two main strategies for estimating all-sky  $T_a$  based on LST: one is to first derive  $T_a$  from the available LST and then fill the  $T_a$  gaps (Rosenfeld et al., 2017; Zhang, 2017); the other is to first fill the LST gaps to develop a seamless product and then estimate the all-sky  $T_a$  (Kilibarda et al., 2014; Li et al., 2018; Rao et al.,  
80 2019). For example, Zhang et al. (2017) estimated  $T_a$  under clear-sky conditions based on MODIS LST, and the Atmospheric Infrared Sounder (AIRS) standard  $T_a$  products were used to fill the cloudy-sky pixels after a downscaling process, with a mean absolute error (MAE) of 1.2 K and a root mean square error (RMSE) of 1.6 K overall. According to the research conducted by Kilibarda et al. (2014), the 8-day composite LST was interpolating into a daily dataset and then combined with topographic layers and geometric temperature trend to interpolate the all-sky daily  $T_a$ , and the results reported an RMSE value of 2–4 °C.  
85 In addition, Zhu et al. (2017) developed a parameterization scheme to estimate all-sky instantaneous daytime  $T_a$  only relying on MODIS atmospheric profile product. They first established the relationship between LST and  $T_a$  under clear-sky conditions, and then estimated  $T_a$  under cloudy-sky conditions based on the established relationship, with RMSE values ranging from 2.50 °C to 2.56 °C.

Currently, several studies have been conducted to develop all-sky  $T_a$  datasets based on remotely sensed data. For instance,  
90 Li et al. (2018) used a 3-step hybrid gap-filling method to attain seamless LST first, and then developed daily geographically weighted regression (GWR) models to interpolate  $T_a$  using gap-filled LST and elevation, and finally developed a 1 km daily minimum/maximum  $T_a$  dataset in urban and surrounding areas in the conterminous U.S. for 2003–2016. The cross-validation results reported that the RMSE values were 2.1 °C and 1.9 °C for daily minimum and maximum  $T_a$ , respectively. In the recent work conducted by Yao et al. (2020), the MODIS 8-day composite LST was averaged to obtain monthly mean LST, and then  
95 combined with enhanced vegetation index (EVI), solar radiation, topographic index and other features to establish a cubist model for generating 1 km monthly maximum/mean/minimum  $T_a$  products in China, and the RMSE of the estimated monthly mean  $T_a$  was 0.629 °C. Rao et al. (2019) first filled the gaps of LSTs, and then used the gap-filled LSTs and some radiation products to build cubist models for estimating all-sky daily mean  $T_a$ , with an RMSE of 1.87 °C. Finally, a  $0.05^\circ \times 0.05^\circ$  daily

mean  $T_a$  product over the Tibetan Plateau for 2002–2016 was developed. In addition, there exists multiple reanalysis and meteorological forcing datasets covering large areas or global areas, which are usually generated by data assimilation or data interpolation, such as the Global Land Data Assimilation System (GLDAS) (Rodell et al., 2004), Modern-Era Retrospective Analysis and Research and Application, version 2 (MERRA-2) (Gelaro et al., 2017), China Meteorological Forcing Data (CMFD) (Yang and He, 2019), and China Land Data Assimilation System (CLDAS) (Shi et al., 2011). However, these datasets have coarse spatial resolution (generally  $\geq 0.1^\circ$  except for CLDAS with a spatial resolution of  $0.0625^\circ$ ) and regional inaccuracy, which may limit their potential to accurately capture the spatial heterogeneity of  $T_a$  in the urban and mountainous areas and lead to uncertainties for applications at local to regional scales (Jang et al., 2014; Li et al., 2018; Zhu et al., 2017). To our knowledge, there are a lack of long time series all-sky  $T_a$  products covering vast areas with both high spatial and temporal resolution currently.

The main objective of this study is to develop an all-sky 1 km daily mean **land**  $T_a$  over mainland China for 2003–2019 by integrating satellite data products, model simulations, and ground measurements. For the first time, assimilated  $T_a$  was applied to supplement and substitute MODIS LSTs and provide the initial values of model prediction. In order to solve the issue of missing LST, a simple temporal gap-filling method was used to fill the gaps of MODIS LSTs first. Considering the differences in the relationship between  $T_a$  and other features under different weather conditions, we divided all data pairs into three types of weather conditions: (1) clear-sky conditions; (2) cloudy-sky conditions case I; (3) cloudy-sky conditions case II, and then established three machine learning models to estimate daily mean  $T_a$  under different weather conditions. The structure of this paper is organized as follows: Section 2 describes the study area and used data; Section 3 summarizes the overall research method; Section 4 reports the validation results and discusses the model performance; Section 5 compares the developed dataset with the existing datasets; and Sect. 6 presents the overall conclusion.

## 2 Data

### 2.1 Meteorological station data

This study was conducted in mainland China. Station observed daily mean  $T_a$  from 2003 to 2019 were collected from 2384 standard meteorological stations in mainland China for model training and validation. During the production process of this dataset, it experienced strict quality control. Figure 1 shows the study area and the geographical location of the meteorological stations used in this study. Each dot represents a station, and different colors correspond to different land cover types. The land cover data used in the study is Finer Resolution Observation and Monitoring of Global Land Cover (FROM-GLC) version2 (2015\_v1), which is a 30 m resolution global land cover maps (Gong et al., 2013).

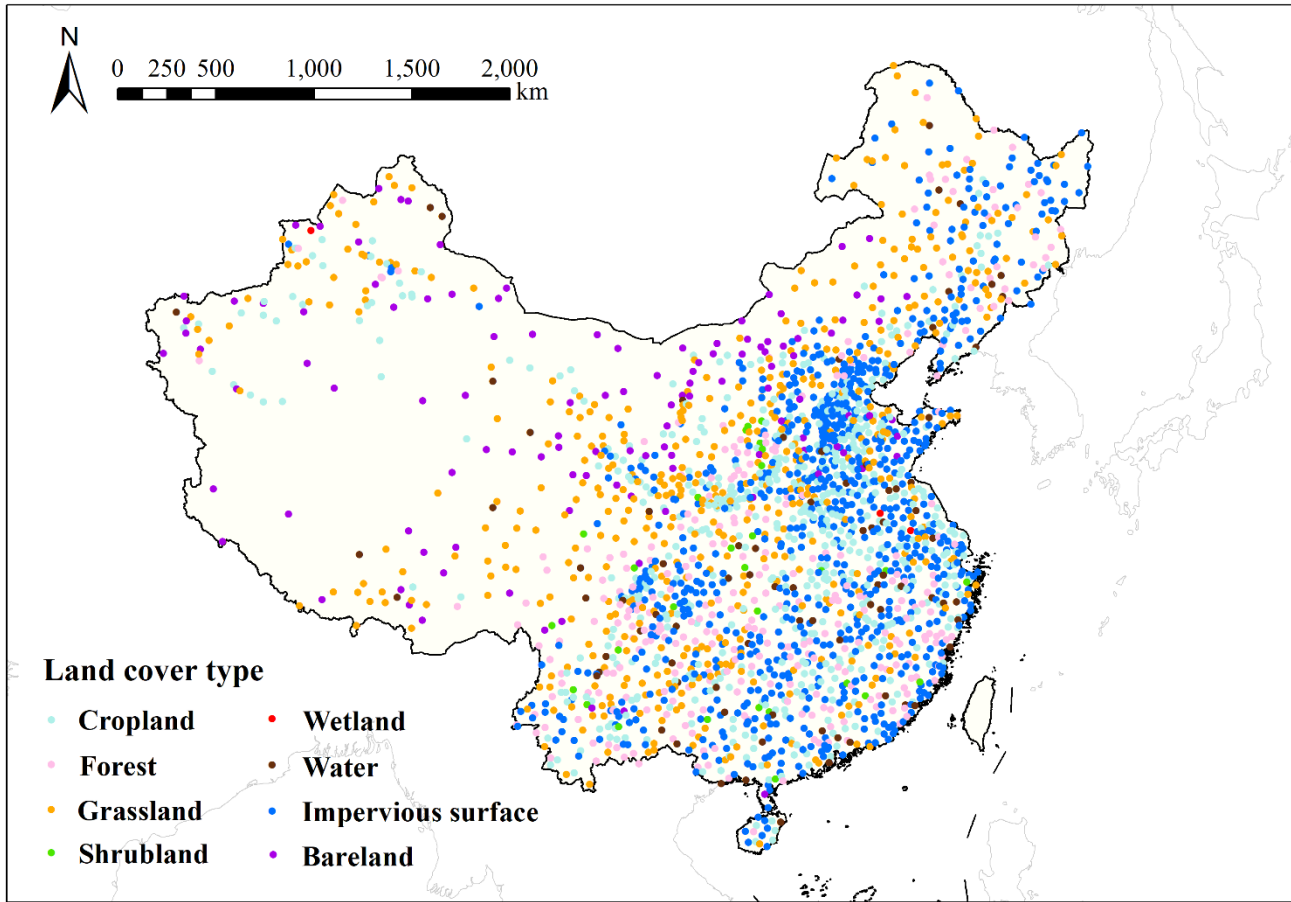


Figure 1. Study area and location of meteorological stations used in this study. Each dot represents a station, and different colors correspond to different land cover types as shown in this figure legend.

## 130 2.2 Remotely sensed data

Satellite datasets used in this study are listed in Table 1.

Table 1. Satellite datasets used in this study.

Product	Dataset(s)	Spatial resolution	Temporal resolution
Land surface temperature (LST)	MOD11A1, MYD11A1	1 km	Daily
Downward shortwave radiation (DSR)	GLASS05B01	0.05°	Daily
Surface albedo (ALB)	GLASS02A06	1 km	8-day
Leaf area index (LAI)	GLASS01A01	1 km	8-day

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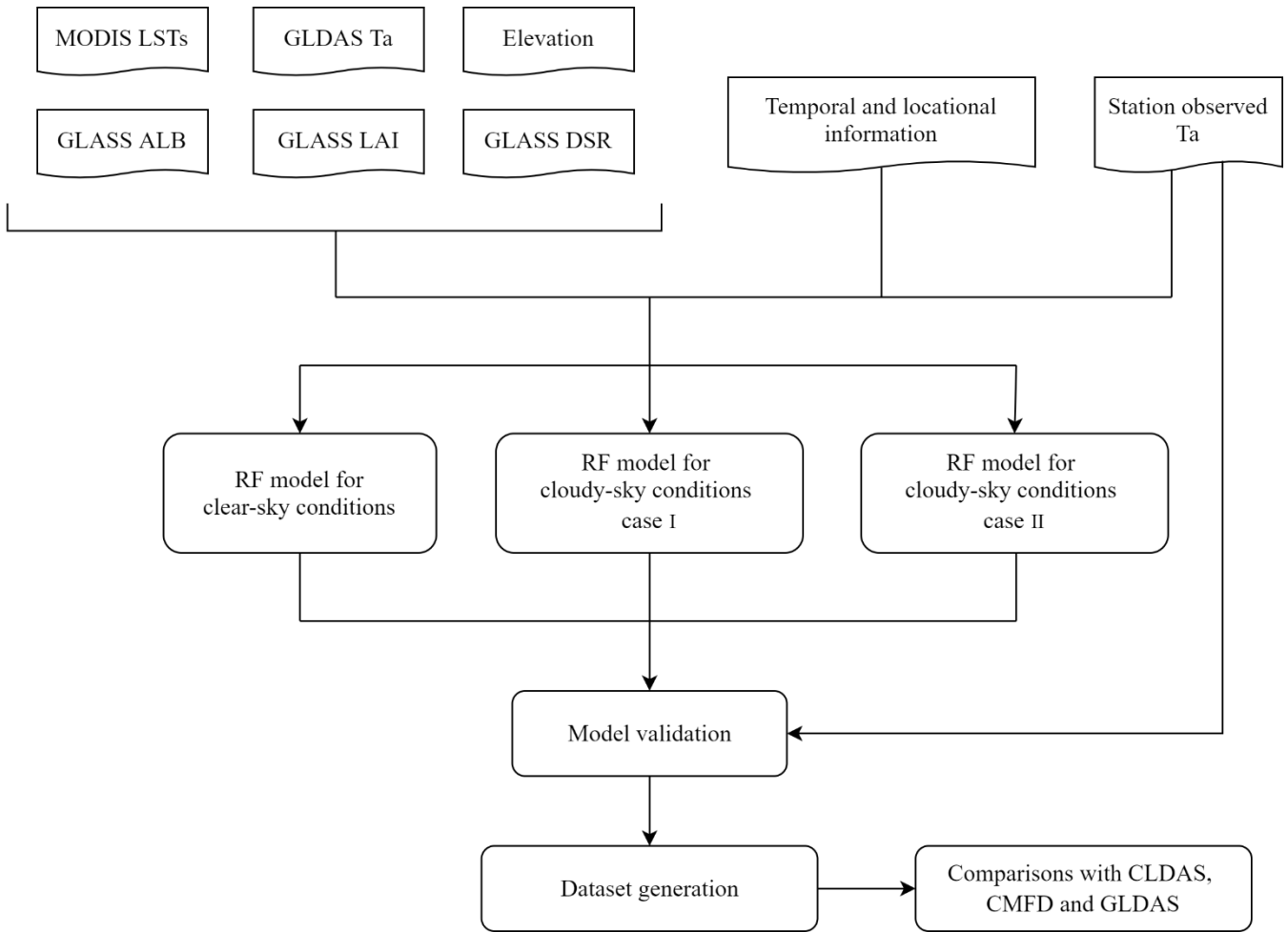
Terra and Aqua MODIS daily 1 km LST products (MOD11A1/MYD11A1, C6) both provide daytime and nighttime LSTs with the spatial resolution of 1 km (Wan et al., 2015).

135 Three all-sky products from the Global LAnd Surface Satellite (GLASS) products suite (Liang et al., 2013; Liang et al.,  
| ~~2020~~2021) were used, including the GLASS 1 km 8-day surface broadband albedo (ALB) product GLASS02A06 (Liu et al.,  
2013), GLASS 0.05° daily downward shortwave radiation (DSR) product GLASS05B01 (Zhang et al., 2019), and GLASS 1  
140 km 8-day leaf area index (LAI) product GLASS01A01 (Xiao et al., 2014). For the ALB product, we used black-sky albedo of  
shortwave (BSA\_sw), visible (BSA\_vis), and near-infrared (BSA\_nir) bands. As radiation products, DSR and ALB determine  
the shortwave solar radiation received at the surface and the fraction of total radiation reflected and absorbed by the surface,  
respectively.

The Global Multi-resolution Terrain Elevation Data 2010 (GMTED2010) elevation dataset, downloaded from the United States Geological Survey (USGS, [https://topotools.cr.usgs.gov/gmted\\_viewer/](https://topotools.cr.usgs.gov/gmted_viewer/)), was also chosen to estimate  $T_a$ .

### 3 Methods

145 The overall framework of this study is shown in the Fig. 2. Firstly, all datasets from 2003 to 2019 were pre-processed into  
identical spatial and temporal resolutions. Second, we filled the gaps of MODIS LSTs and then divided all data pairs into three  
weather conditions according to the gap-filling results. Next, the values of all datasets were extracted by the nearest neighbour  
method according to the geographical location of stations and then matched with the in situ  $T_a$  to obtain data pairs. Data pairs  
under different weather conditions from 2003 to 2016 were randomly divided into training, validation, and test sets (ratio:  
150 3:1:1). Three RF models for different weather conditions were established and trained using the training set. Then, three model  
validation strategies of random sample validation, Leave-Time-Out (LTO) cross-validation (CV), and Leave-Location-Out  
(LLO) CV were used to evaluate the models. Finally, we used the models to develop the all-sky  $T_a$  dataset from 2003 to 2009  
and compared it with the existing datasets.



155 **Figure 2. The overall framework of this study.**

### 3.1 Data pre-processing

Because the spatial and temporal resolutions of all datasets were not completely consistent, we pre-processed all remotely sensed datasets and reanalysis datasets from 2003 to 2019 into identical 1 km and daily spatial and temporal resolutions, respectively. DSR, elevation and assimilated  $T_a$  were resampled to the spatial resolution of 1 km by the nearest neighbour method. As LAI and ALB datasets both have an 8-day temporal resolution, we first combined them into a time series, and then  
 160 interpolated the time series by linear interpolation method to obtain the daily datasets. For GLDAS assimilation data with a 3-hourly temporal resolution, we averaged all assimilated instantaneous  $T_a$  in a day to acquire the assimilated daily mean  $T_a$  for all days.

Then, the values of all datasets were extracted by the nearest neighbour method according to the geographical locations of  
 165 stations and then matched with the in situ  $T_a$  to obtain data pairs. Next, we used a temporal gap-filling method to fill the MODIS LST gaps and divided all data pairs into three weather conditions according to the gap-filling results. The detailed

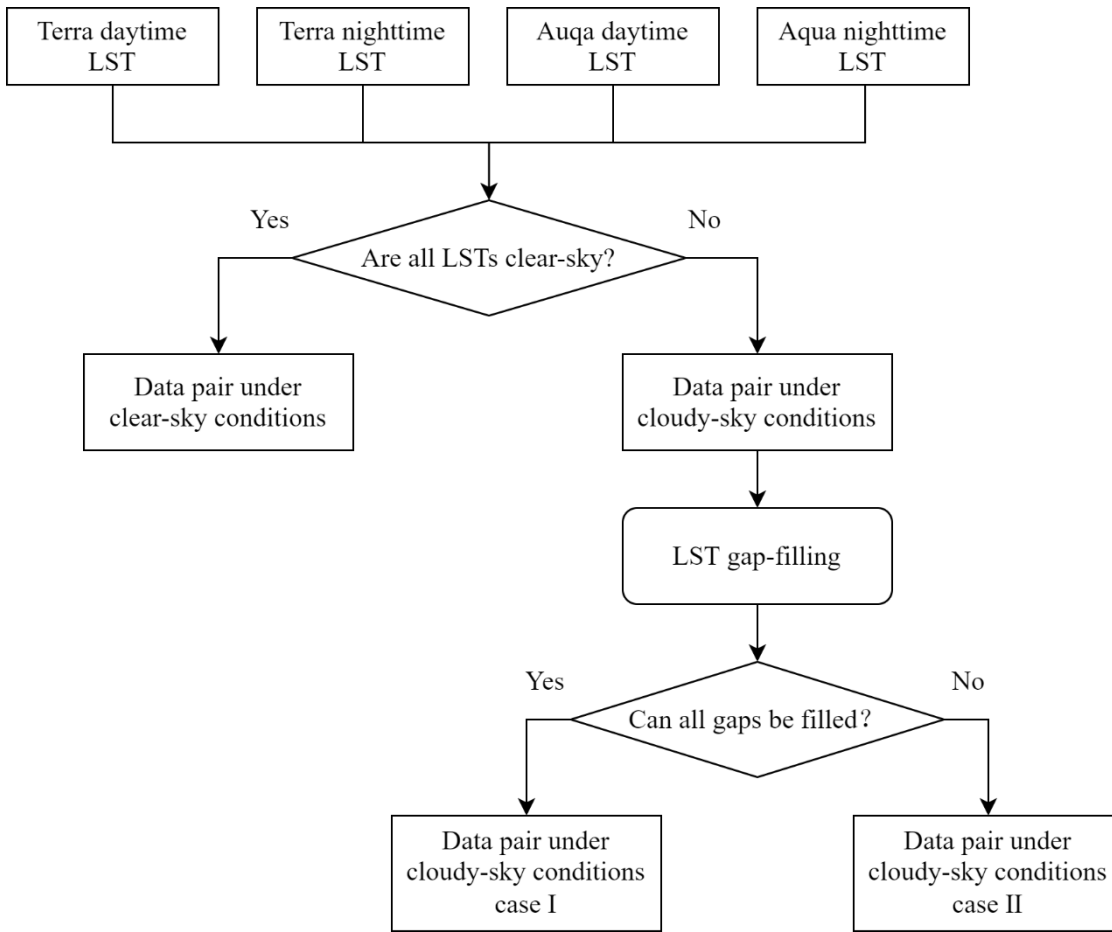
gap-filling method and strategy for weather conditions division is described in the Section 3.2. Then, the data pairs under different weather conditions from 2003 to 2016 were randomly divided into training, validation, and test sets (ratio: 3:1:1). Among them, training set was used for model training, validation set was used to determine the best model parameters, and test set was used to evaluate the final model performance.

### 3.2 Strategies for LST gap-filling and weather conditions division

MODIS LSTs were produced under strict quality control, with each pixel marked as either a clear-sky or cloudy-sky observation. Pixels under cloudy-sky conditions, had missing LST value, because of which LST-based method could not be applied to estimate  $T_a$ . In this study, a simple multi-temporal method was used to fill the MODIS LST gaps. First, we set a time threshold ( $\pm 2$  days), and the missing pixel value was replaced by the clear-sky value of the nearest date within the set time threshold. If no clear-sky pixel was found within the time threshold, the missing pixel was not filled to avoid introducing a high uncertainty caused by a huge temperature change between dates with a large difference. This multi-temporal method was used to fill the gaps of all four MODIS LSTs each day.

Considering the differences in the relationship between  $T_a$  and other features under different weather conditions, we divided data pairs into clear-sky conditions and cloudy-sky conditions according to the LSTs gap-filling results. When all four LSTs in a day were all under clear-sky conditions, the data pair was identified as being under clear-sky conditions; otherwise, it was identified as being under cloudy-sky conditions. To control the uncertainty introduced by LST gap-filling, cloudy-sky conditions were divided into two cases: case I and case II. In particular, a data pair was identified as being under cloudy-sky conditions case I when there were LST gaps in the data pair and the gaps could be filled through the method mentioned above. If the LST gaps could not all be filled, the data pair was identified as being under cloudy-sky conditions case II. Therefore, we finally divided all data pairs into three types of weather conditions: (1) clear-sky conditions, (2) cloudy-sky conditions case I, and (3) cloudy-sky conditions case II. The detailed criteria for dividing weather conditions are shown in Fig. 3.





**Figure 3. The criteria for weather conditions division of a data pair.**

190 Next, we established three machine learning models (clear-sky model, cloudy-sky model I, and cloudy-sky model II) and trained separately for different weather conditions. Daily LSTs were used in models for clear-sky conditions (clear-sky model) and cloudy-sky conditions case I (cloudy-sky model I), but not for cloudy-sky conditions case II (cloudy-sky model II). GLDAS assimilated  $T_a$ , GLASS DSR, GLASS ALB, GLASS LAI, elevation, and temporal and locational information were also used in all three models as input features. For clear-sky model, the utilized features included four clear-sky LSTs in a day.

195 The qualification for a pixel of a given day to be judged as clear-sky may be harsh, but this ensured the use of completely clear-sky LSTs. The features of cloudy-sky model I included gap-filled LST(s), which increased the availability of LST, but the simple gap-filling strategy also introduced errors to the models. To avoid instilling a high uncertainty caused by a large temperature change between dates with a large difference, cloudy-sky model II did not use LST to estimate  $T_a$ .

### 3.3 Random forest

200 The RF method is an ensemble learning method based on Classification And Regression Tree (CART) proposed by Breiman et al. (1984). Since it was proposed, it has attracted the attention of quite a few fields and been applied to various applications in remote sensing in recent years (Gislason et al., 2006; Ham et al., 2005; Li and Zha, 2019; Xu et al., 2014).

A decision tree is a tree-like prediction model composed of nodes and directed edges. In each internal node of the decision tree, the sample set is segmented by selecting the optimal splitting feature until the segmentation termination condition is reached. Each path from the root node to the leaf nodes of a decision tree forms a classification. There are many algorithms for decision tree, such as ID3 (Quinlan, 1986), C4.5 (Quinlan, 1992), and CART. These algorithms all adopt the top-down greedy algorithm, and each internal node chooses the feature with the best classification effect to split, to achieve the goal of dividing samples into subsets that are as homogenous as possible, with the fastest speed. In the generation algorithms of ID3 and C4.5 decision tree, information gain or information gain rate is used as the criterion to judge the optimal segmentation. 205 Another type of optimal segmentation criterion is Gini impurity, which is utilized in the CART decision tree. In the RF model, multiple CART decision trees are included. The bagging method (Breiman, 1996) is used to generate independent identically distributed training sample sets for each tree and train on them.

Although the application of RF at present is mainly focused on classification, it can be also used in regression analysis effectively, which can usually achieve higher accuracy than traditional regression analysis methods. The training and prediction process of the RF regression model is shown in Fig. 4. First, the bootstrapping method is used to acquire  $k$  datasets  $\{D_k, k = 1, 2, \dots\}$  and then  $k$  decision trees  $\{h(x, \Theta_k), k = 1, 2, \dots\}$  are established, respectively, where  $x$  is the input vector, and  $\Theta_k$  ( $k = 1, 2, \dots$ ) is the random vector determining the sampling of bootstrap datasets and candidate splitting features of each tree. The construction of a decision tree is realized by iteratively dividing the datasets into two subsets. Different from the RF classification model, the mean square error (MSE) is used as the optimal segmentation criterion in the RF regression model to split the nodes. Each decision tree in the RF regression model takes values rather than types as output targets, and the average of the predicted values of all the trees  $\{h(x, \Theta_k), k = 1, 2, \dots\}$  is used as the final prediction. 215 220

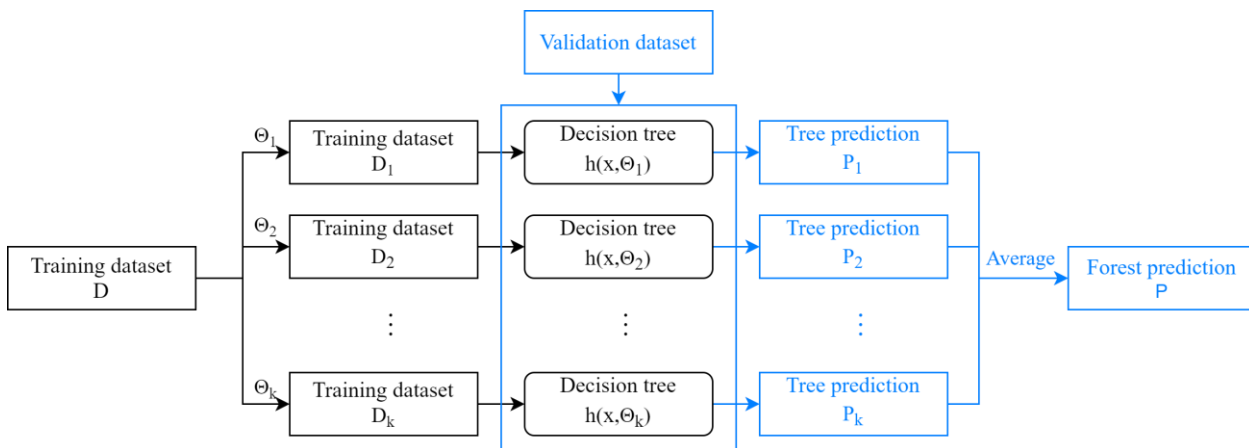


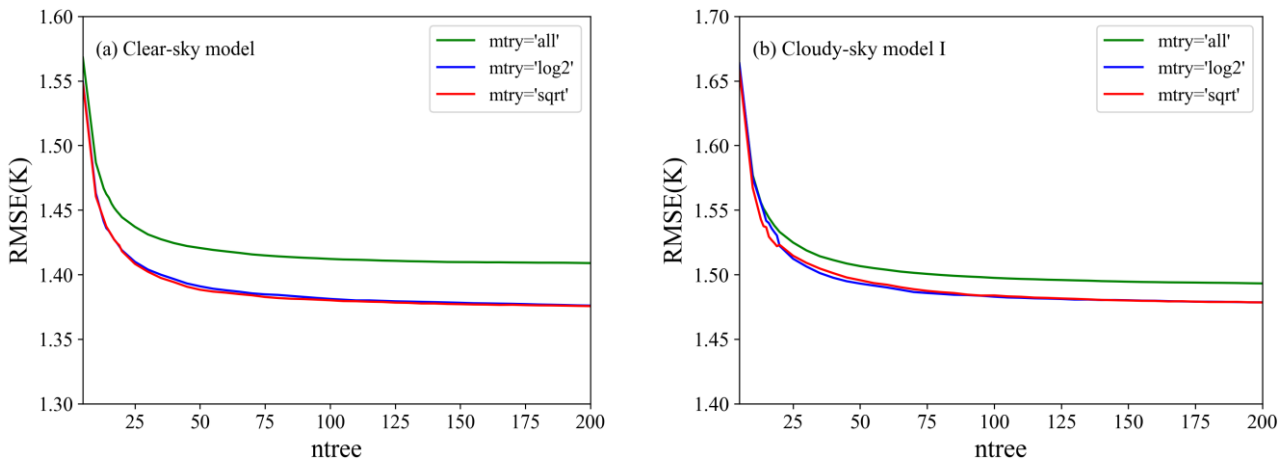
Figure 4. The training and prediction process of RF regression model.

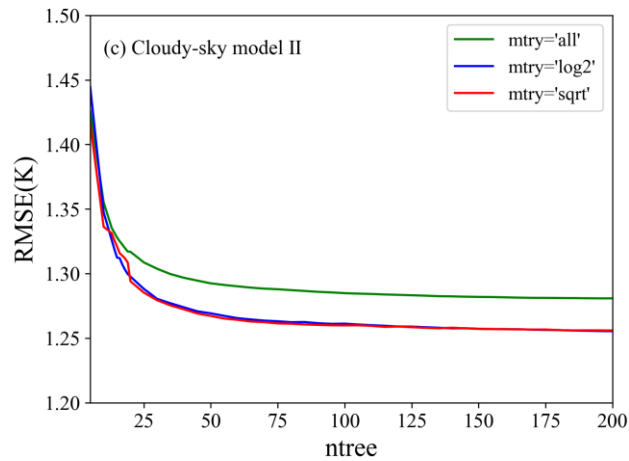
### 3.4 Model training and validation

225 During the model training process, training set was used for model training, validation set was used to determine the models with the optimal hyper-parameters.

Compared with artificial neural network, RF regression model does not need to carry out complicated parameter tuning work and changing some insignificant parameters of the RF model may not cause substantial fluctuations in model performance. The two most critical hyper-parameters, *ntree* and *mtry*, need to be determined during training. Among them, *ntree* refers to the number of decision trees in the RF model. Increasing *ntree* is conducive to improving the model performance and stability, but also affects the computational efficiency of the program. *Mtry* refers to the maximum number of features used in a single decision tree. When *mtry* is less than the total number of features, the segmentation of a node is determined based on partial features that are randomly selected rather than all features. Increasing *mtry* allows nodes to consider more features when splitting, but also reduces the diversity of individual trees, thus increasing the risk of overfitting. Therefore, both parameters  
230 need to be properly balanced and selected, and we used the validation set to evaluate the model performance with different combinations of parameters to obtain the optimal hyper-parameters.

Assuming the total number of features of a sample is  $m$ , the values of *mtry* include  $\log_2 m$ ,  $\sqrt{m}$  and  $m$ , and *ntree* is set to 5–200. To analyse the RF model performance sensitivity to hyper-parameters, the RMSE values of the three models for different weather conditions were calculated when setting different parameters, and the result is shown in Fig. 5. It can be seen  
240 from the results that with the change of model parameters, the three models showed similar variation patterns. With the increase of *ntree*, the RMSE value decreased gradually until it became almost constant (when  $ntree \geq 100$ ). Continue increasing of *ntree* made very little contribution to improving the model performance but affected the computing efficiency. For *mtry*, we can see that using partial features ( $mtry = \log_2 m$  or  $\sqrt{m}$ ) performed significantly better than using all features ( $mtry = m$ ). Overall, setting *mtry* to  $\log_2 m$  and  $\sqrt{m}$  presented similar performance, and the setting of  $\sqrt{m}$  performed slightly better than  
245  $\log_2 m$  when *ntree* was larger than 175. Therefore, we set *ntree* to 200 and *mtry* to  $\sqrt{m}$  in all models.





**Figure 5. RF model performance sensitivity to hyper-parameters.**

To quantitatively evaluate the effect of each feature on the models, we calculated the feature importance (FI) of every feature by permutation method for each model. The permutation method breaks the statistical relationship between feature  $i$  and the target variable and then measure the degree of deterioration in the model performance to evaluate the importance of feature  $i$  to the model (McGovern et al., 2019). Specifically, first the model is trained with the training set, and then RMSE of validation set ( $RMSE_{true}$ ) is calculated using Eq. (1). For the calculation of the FI of feature  $i$ ,  $RMSE_i$  is calculated again after all the features  $i$  of validation set are shuffled. The difference between  $RMSE_{true}$  and  $RMSE_i$  is calculated and then divided by  $RMSE_{true}$ , and the result is used as FI, as shown in the Eq. (2). A large FI value means that the model performance decreases significantly after shuffling this feature, which indicates that this feature has a great impact on the accuracy of prediction results. On the contrary, if the model performance does not deteriorate significantly, it is obvious that this feature has less influence in the prediction process, or that other linearly dependent features are included in the model to make this feature redundant.

$$RMSE = \sqrt{\frac{\sum_{i=1}^n (y_{pre} - y_{obs})^2}{n}}, \quad (1)$$

$$FI_i = \frac{RMSE_i - RMSE_{true}}{RMSE_{true}}, \quad (2)$$

where  $y_{pre}$  refers to model prediction result, and  $y_{obs}$  refers to the corresponding station observation.  $RMSE_{true}$  is the RMSE of the validation set, and  $RMSE_i$  refers to the RMSE of the validation set after feature  $i$  is shuffled.

The  $T_a$  predicted by the models was compared with the corresponding station observations. RMSE, MAE, and  $R^2$  were selected as criteria for model evaluation. In order to comprehensively evaluate the performance of the models, we adopted three model validation strategies: random sample validation, LTO CV, and LLO CV. For random sample validation, test set (1/5 of the total data from 2003 to 2016 selected randomly) was used to evaluate the performance of the final  $T_a$  estimation models. The results were grouped by elevation range, land cover type, and month to evaluate the model performance under

different situations. For LTO CV and LLO CV, we divided all data pairs into 14 groups according to calendar year and 7  
 270 groups according to geographical location. In each iteration, one group of data was used for validation, and the other groups  
 of data were used as the training set for model training. The modeling and validation process were repeated 14 and 7 times  
 until each year's data and each cluster of data was validated. These two CV strategies have been used in some studies to  
 evaluate the performance of spatiotemporal models in unknown time or unknown space (Liu et al., 2020; Ploton et al., 2020;  
 Xiao et al., 2018).

## 275 4 Results analysis

### 4.1 Overall accuracy and model comparison

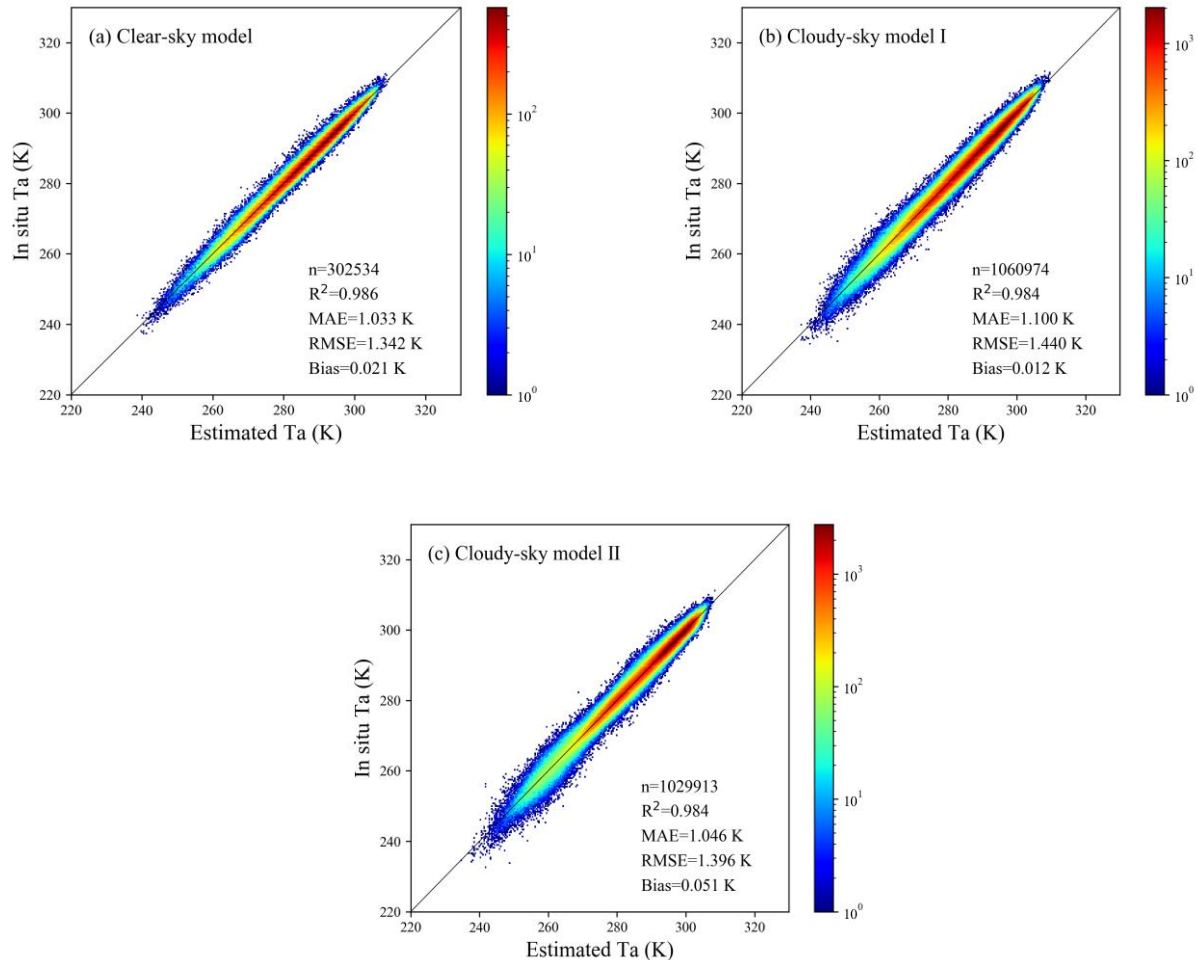
Approximately 3/5 and 1/5 of the data pairs from 2003 to 2016 were randomly selected for training and tuning the models,  
 respectively, and the remaining 1/5 of the total data pairs were used to evaluate the performance of the final  $T_a$  estimation  
 models. Validation statistics of models for different weather conditions and the overall accuracy of all estimated daily mean  
 280  $T_a$  are shown in Table 2. The three models presented similar validation statistics, with  $R^2$ , MAE, RMSE, and bias ranging from  
 0.984 to 0.986, 1.033 K to 1.100 K, 1.342 K to 1.440 K, and 0.012 K to 0.051 K, respectively. The overall  $R^2$ , MAE, RMSE,  
 and bias of the estimated all-sky  $T_a$  were 0.985, 1.068 K, 1.409 K, and 0.03 K, respectively. Compared with the in situ  $T_a$ , the  
 estimated  $T_a$  of all models showed a high correlation with little difference, confirming the great potential of RF method to  
 estimate all-sky daily mean  $T_a$  over a wide spatial and temporal range.

285 **Table 2. Model validation statistics.**

Model	$R^2$	MAE (K)	RMSE (K)	Bias (K)
Clear-sky model	0.986	1.033	1.342	0.021
Cloudy-sky model I	0.984	1.100	1.440	0.012
Cloudy-sky model II	0.984	1.046	1.396	0.051
All	0.985	1.068	1.409	0.030

In addition, to further investigate the distribution of the prediction results and the differences between the three models,  
 density scatter plots of the estimated  $T_a$  against the in situ  $T_a$  for the three models are shown in Fig. 6. In the three density  
 scatter plots, most points were very concentrated near the 1:1 line, which also confirmed that these three models have achieved  
 satisfactory accuracy in estimating daily mean  $T_a$  under different weather conditions. Among all the models, the clear-sky  
 290 model had the highest stability and overall accuracy statistically, with the highest  $R^2$  and the lowest MAE and RMSE. It could  
 predict  $T_a$  under clear-sky conditions from less than 250 K to more than 300 K accurately and steadily. Compared with the  
 clear-sky model, cloudy-sky model I had a relatively large error, which demonstrated that the LST gap-filling strategy adopted  
 in this study introduced errors into the model to some extent, thereby increasing the uncertainty in estimating  $T_a$  under cloudy-  
 sky conditions case I. The accuracy of the cloudy-sky model II was statistically similar to that of the clear-sky model, and it

295 could predict a moderate temperature range close to 275 K with satisfactory performance. However, it can be seen from the density scatter plot for cloudy-sky model II that some discrete points deviated from the 1:1 line in the low-temperature range, which indicated that there may be much uncertainty in predicting the low-temperature range, especially at temperatures less than 260 K.



300

**Figure 6. Density scatter plots of the estimated  $T_a$  against the in situ  $T_a$  for three models.**

Many studies have proved that land cover type and elevation have a significant impact on the heterogeneity of  $T_a$  (Benali et al., 2012; Good et al., 2017; Lin et al., 2012; Marzban et al., 2017). Therefore, to comprehensively analyse the performance of the  $T_a$  estimation models, we grouped the results by land cover type and elevation range, and then compared the model performance for different groups. The model performance for different land cover types are listed in Table 3. All models showed relatively good performance (RMSE < 1.5 K) for cropland, shrubland, water, and impervious surface while RMSE values were higher for grassland and bare land, which was consistent with the findings of Shen et al. (2020). The model

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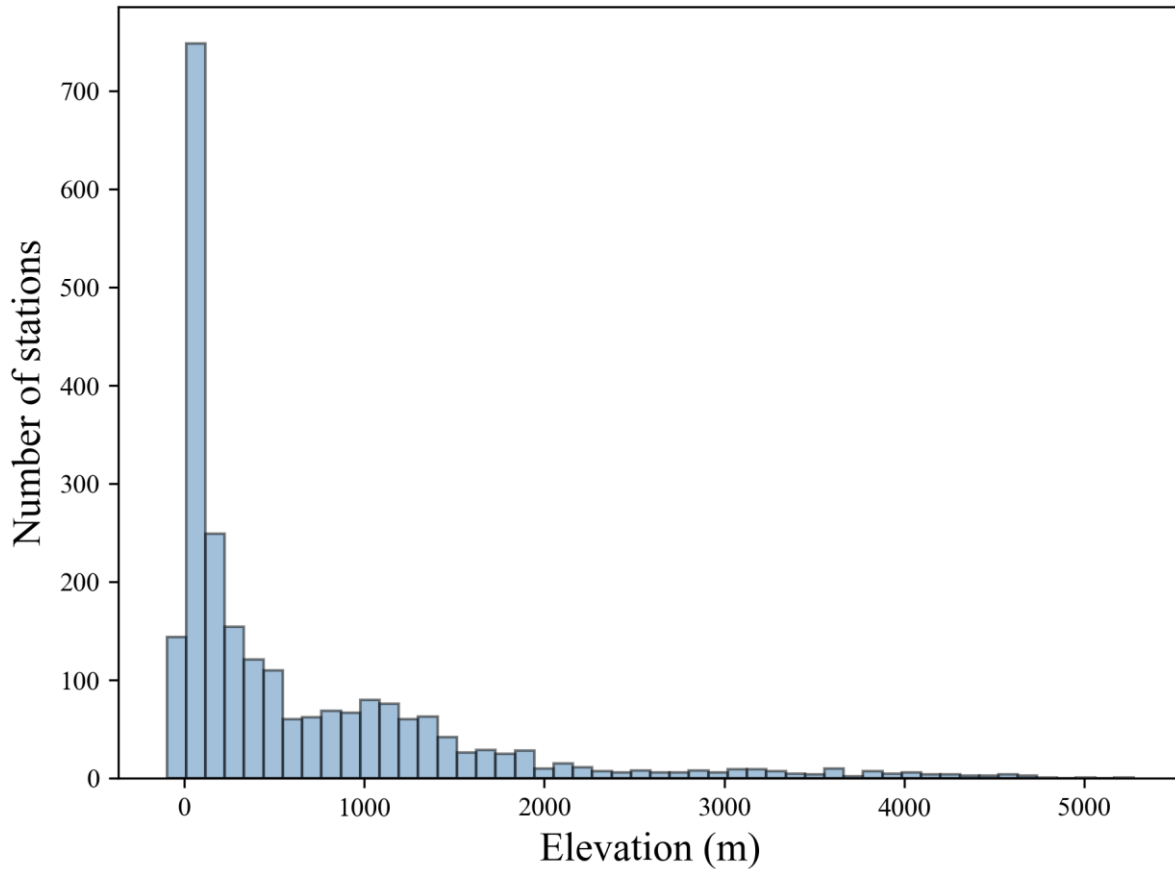
performance for different elevation ranges is also listed in Table 4. With the increase of elevation, RMSE values of all models had a certain upward trend. However, as shown in the Fig. 7, the elevation of the stations used in this study is mainly distributed in the range 0–2000 m, so the quantity of training samples in this elevation range have an absolute superiority, while the samples of higher elevation (elevation > 2000 m) occupy only a small part. The problem of class imbalance may contribute to the relatively large errors when predicting  $T_a$  at high elevation. In addition, factors such as complex and varied topography, vertical variation in  $T_a$ , and scale differences between remotely sensed image pixels and station observation data points will lead to high difficulty and uncertainty in  $T_a$  estimation at higher elevations (Rao et al., 2019).

315 **Table 3. Model performance for different land cover types.**

Land cover type	Clear-sky model		Cloudy-sky model I		Cloudy-sky model II	
	%	RMSE (K)	%	RMSE (K)	%	RMSE (K)
Cropland	20.1	1.295	22.8	1.379	24.4	1.327
Forest	10.4	1.375	11.1	1.502	15.3	1.421
Grassland	26.0	1.420	22.4	1.550	17.3	1.540
Shrubland	1.2	1.392	1.2	1.473	1.3	1.338
Wetland	0.1	1.286	0.1	1.445	0.1	2.063
Water	3.3	1.366	3.2	1.451	3.8	1.383
Impervious surface	29.2	1.241	32.8	1.341	35.5	1.327
Bare land	9.6	1.462	6.4	1.613	2.3	1.793

**Table 4. Model performance for different elevation ranges.**

Elevation (m)	Clear-sky model		Cloudy-sky model I		Cloudy-sky model II	
	%	RMSE (K)	%	RMSE (K)	%	RMSE (K)
< 1000	61.8	1.281	71.1	1.381	82.4	1.363
1000–2000	24.6	1.372	20.0	1.538	14.2	1.511
2000–3000	6.1	1.472	4.2	1.68	1.7	1.637
3000–4000	4.7	1.547	3.0	1.619	1.1	1.614
> 4000	2.8	1.678	1.7	1.673	0.6	1.768



**Figure 7. Elevation histogram of stations used in this study.**

320 We further evaluated the error distribution of the three models at the stations. Due to the absence of in situ  $T_a$  of some ground  
stations on some days, only the stations that recorded more than 20 days for all three weather conditions were taken to include.  
And the results of 2320 valid stations were finally obtained, shown in Table 5. In general, the models showed good performance  
at most stations, with a mean RMSE value of 1.383 K. Moreover, there were 97 % stations with RMSE values less than 2 K  
and only 1 of the 2320 statistical stations with an RMSE value greater than 3 K. The clear-sky model also had the best  
325 performance at the station scale, with the lowest mean RMSE of 1.231 K. And 508 stations had RMSE values less than 1 K,  
2286 stations had RMSE values less than 2 K, while only 2 stations had RMSE values greater than 3 K. For cloudy-sky model  
I, the mean RMSE reached 1.432 K. RMSE values of 2256 stations were less than 2 K, and only one station had an RMSE  
greater than 3 K. For cloudy-sky model II, the mean RMSE was 1.440 K, close to cloudy-sky model I, and 121 stations had  
RMSE values less than 1 K. However, 13 stations had RMSE values greater than 3 K for cloudy-sky model II, and most of  
330 these stations had RMSE values less than 3 K for the other two models.

**Table 5. Error distributions of three models at the stations.**



RMSE \ Model	Mean (K)	< 1 K	< 2 K	< 3 K	$\geq 3$ K
Clear-sky model	1.231	508	2286	2318	2
Cloudy-sky model I	1.432	70	2256	2319	1
Cloudy-sky model II	1.440	121	2099	2307	13
All	1.383	80	2249	2319	1

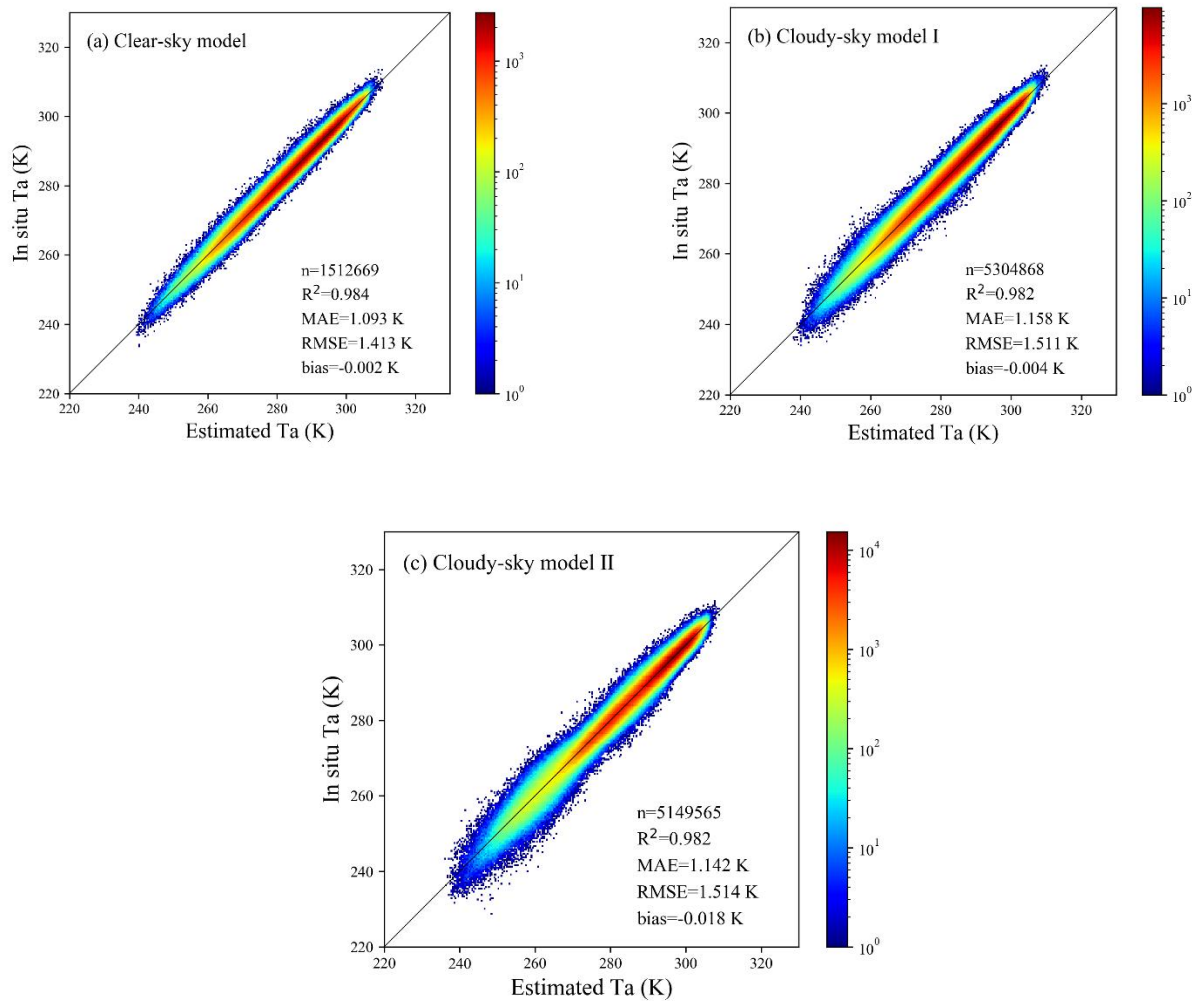
For model comparison, as expected, the clear-sky model that used absolutely clear-sky LSTs performed better than cloudy-sky model I and cloudy-sky model II in almost every aspect and presented the highest stability. Cloudy-sky model I, which contained gap-filled LSTs, did not perform as well as the clear-sky model because although the time threshold ( $\pm 2$  days) of the LST gap-filling method was relatively small, the LST value of a missing pixel of a date may be replaced by a clear-sky value with a difference of up to 2 days. However, the LST can vary considerably in just a few days, so the LST gap-filling process can introduce large errors into the model, thus affecting the accuracy of  $T_a$  estimation. Surprisingly, the cloudy-sky model II that did not use LST features achieved a comparative accuracy with the clear-sky model (RMSE = 1.396 K vs. 1.342 K) statistically. However, when we further analysed the model performance in specific situations, we detected the differences in the performance of the three models. There may be considerable uncertainty for cloudy-sky model II in predicting the low temperature range, especially at less than 260 K. Notably, the cloudy-sky model II performed poorly on wetlands with an RMSE of 2.063 K, while both clear-sky model and cloudy-sky model I performed well on this type of land cover. This may be because wetlands are a mixture of water and land, with diverse complex ecological environments. Using LST can significantly improve the  $T_a$  estimation accuracy of this land cover type.

In summary, because of the strong correlation between  $T_a$  and LST, adding daily LSTs as features to models can improve the model stability and robustness. In the absence of LST, assimilated  $T_a$  can be used as a substitute for LST to provide an initial value or first guess for the model to estimate  $T_a$  with acceptable accuracy when combined with other features. However, the resolution of the reanalysis product is relatively coarse, and some local details were ignored when sampling from a larger scale ( $0.25^\circ \times 0.25^\circ$ ) to a smaller scale ( $1 \text{ km} \times 1 \text{ km}$ ), thus causing certain uncertainties for cloudy-sky model II to predict low-temperature range or some regions, especially some specific land cover types or regions with complex terrain. Overall, none of the three models showed significant differences in the model performance, and the model performance discrepancies for different land cover types and elevation ranges were acceptable. The proposed models can perform well in different situations and are suitable for  $T_a$  estimation under different weather conditions.

#### 4.2 Cross-validation

In addition to random sample validation, two CV methods were used to further evaluate model performance. For LTO CV, we divided the data pairs from 2003 to 2016 into 14 groups by calendar year. In each iteration, 13 groups of data were used as training set for model training, and the remaining one group of data was used for validation. The modeling and validation

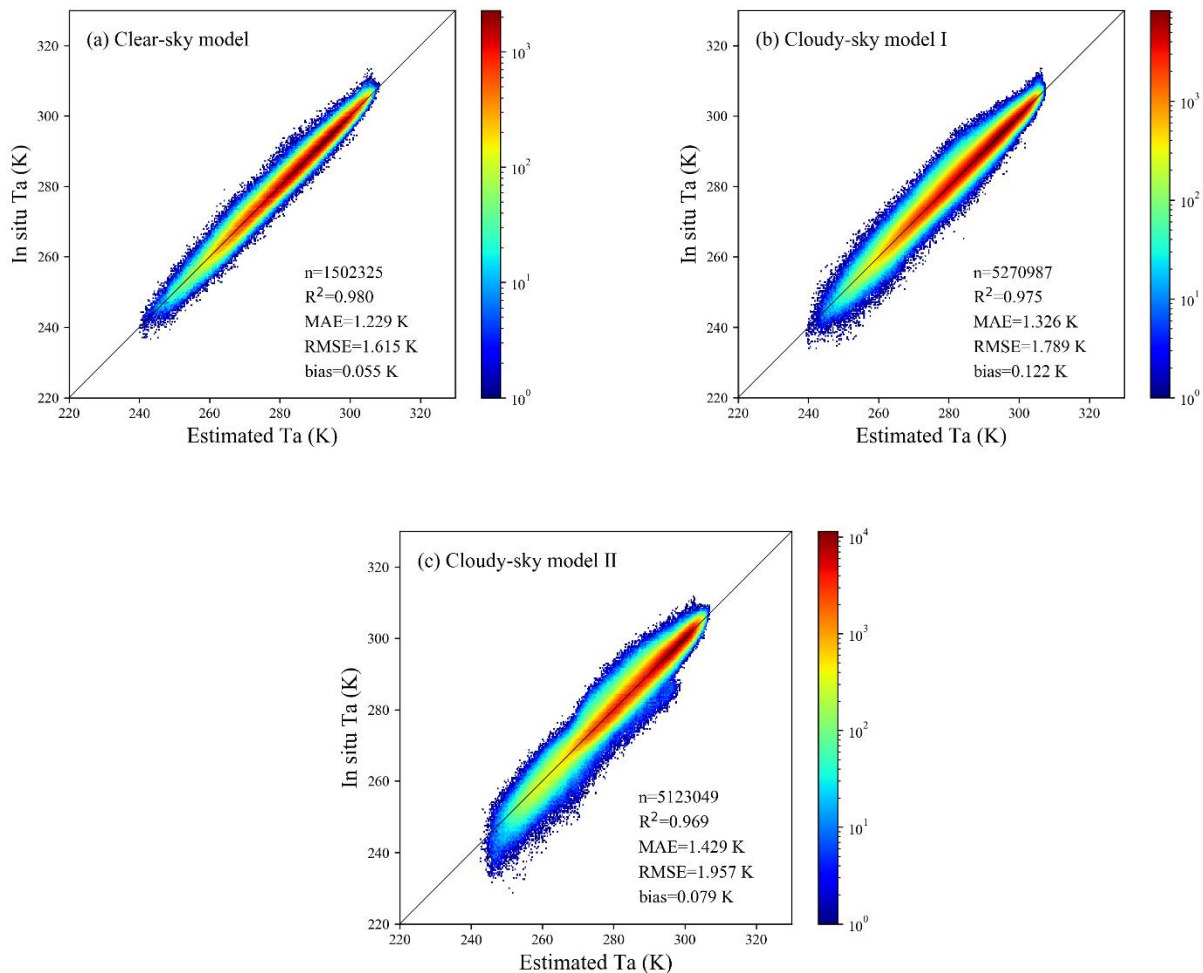
process were repeated 14 times until each year's data was validated. The results are shown in Fig. 8. The RMSE values of validation results for different groups of data ranged from 1.359 K to 1.665 K. The minor difference between the LTO CV results proved that these models have good extensibility in time.



**Figure 8. Density scatter plots of LTO CV results for three models.**

Then, for LLO CV, we divided 7 clusters in the Chinese region by using the similar separation strategy of Xiao et al. (2018). Stations used in this study were divided into different clusters according to their spatial locations, and all data pairs were divided into 7 groups according to the cluster of station. In each iteration, 6 groups of data were used as training set and the remaining one group of data was used for validation. The modeling and validation process were repeated 7 times until the data of each group was validated. The total validation results of the models under three weather conditions are shown in Fig. 9, with RMSE values ranging from 1.615 K to 1.957 K. As expected, the error of LLO CV increased relative to random sample

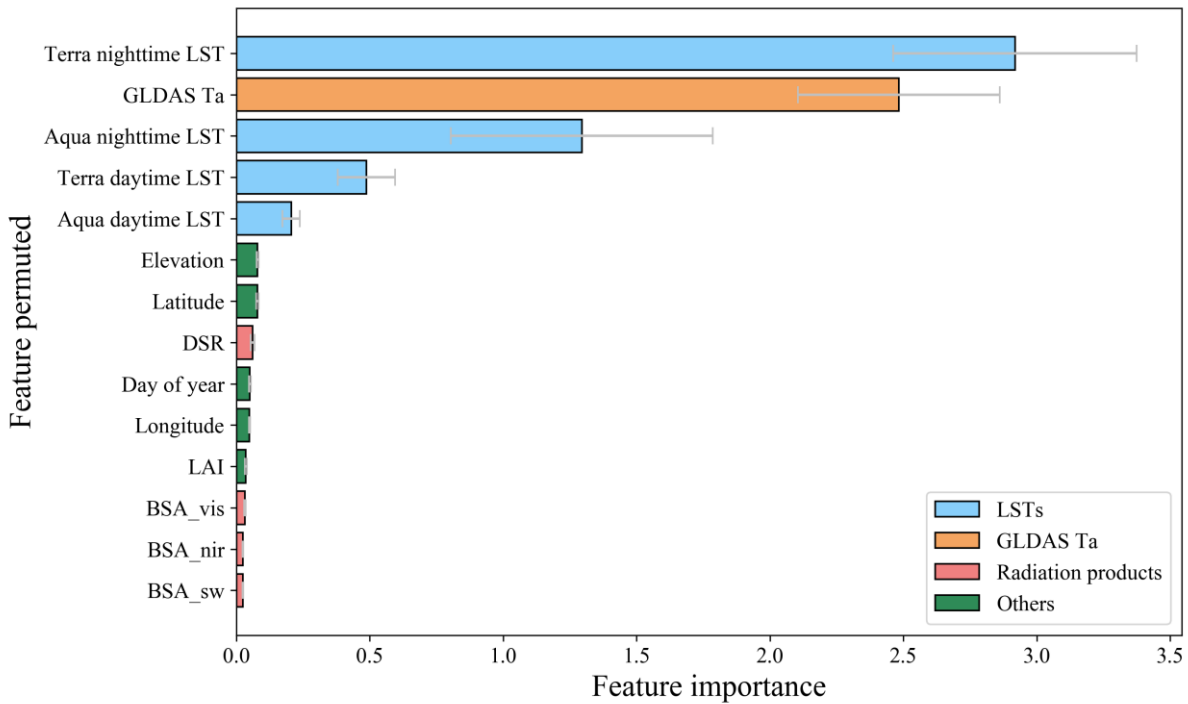
370 validation. This is because the relationship between  $T_a$  and other features varies with geographical location. The prediction error of the northwest and southwest clusters was larger than that of other clusters. RMSE values of these two clusters exceeded 2.5 K under cloudy-sky conditions II while RMSE values of the other clusters were about 1.5 K. This is consistent with the analysis of the spatial distribution of model accuracy in section 4.4 of the manuscript. The meteorological stations in northwest and southwest China are distributed discretely and far away from other stations in China, leading to a large difference between the training set and the test set, and ultimately resulting in the relatively poor performance in the LLO CV strategy in these two regions. Furthermore, the LLO CV results of the cloudy-sky model II were worse than those of the clear-sky model and cloudy-sky model I, indicating that LSTs help to reduce the spatial overfitting of the models.



380 **Figure 9. Density scatter plots of LLO CV results for three models.**

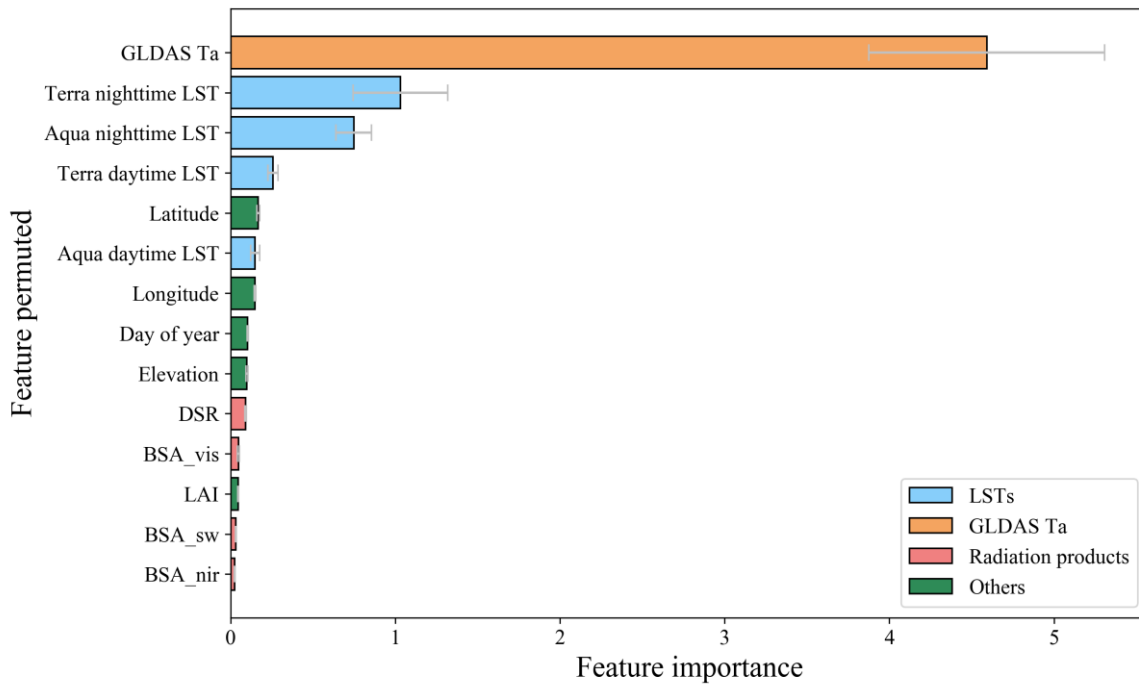
### 4.3 Feature importance analysis

To quantitatively evaluate the contribution of each feature included in the RF models, the FI of every feature for the three models was calculated by permutation method described in Section 3.4, and then ranked. To reduce the impact of contingency on the experimental results, we repeated the experiment 30 times and took the average value of all experimental results as the final FI of each feature for each model. The FI results are shown in Fig. 10, with the importance decreasing from top to bottom. The grey line indicates the FI range of each feature for multiple repeated experiments. All features are divided into four types and represented by different colors, among which the blue rectangles represent MODIS LSTs, the orange rectangles represent GLDAS assimilated  $T_a$ , the red rectangles represent radiation products including DSR and ALB, and the green rectangles represent other features.

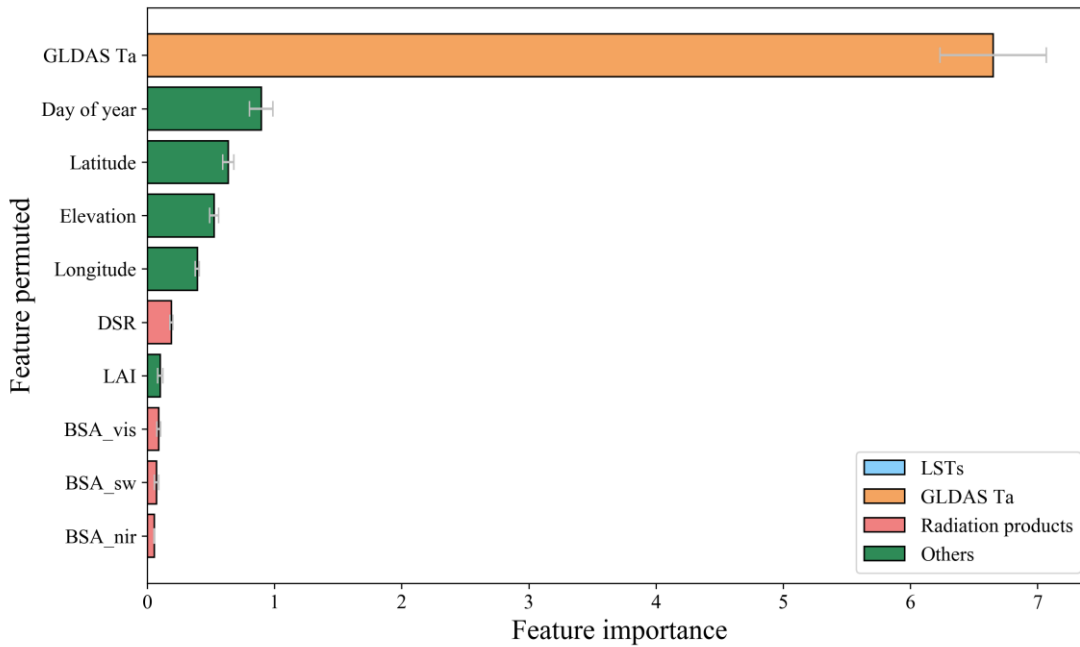


390

(a) FI of each feature for clear-sky model.



(b) FI of each feature for cloudy-sky model I.



395 (c) FI of each feature for cloudy-sky model II.

Figure 10. FI of each feature for three RF models.

For clear-sky model, Terra nighttime LST was of the highest importance (FI = 2.92), followed by assimilated  $T_a$  (FI = 2.48), indicating that the prediction accuracy of the clear-sky model was significantly reduced after permuting these two features. They were followed by Aqua nighttime LST (FI = 1.3) and two daytime LSTs (FI = 0.49 and 0.21, respectively). For cloudy-sky model I, assimilated  $T_a$  ranked first (FI = 4.59), followed by Terra nighttime LST (FI = 1.03). For cloudy-sky model II that did not include LST as features, assimilated  $T_a$  played a more importance role (FI = 6.65) than it did for cloudy-sky model I. The FI of radiation products and other features were all less than 1 for all the models, showing that they only slightly improved the model performance.

The energy exchange between the land surface and the near-surface atmosphere takes the form of longwave radiation, evapotranspiration and turbulent exchange, or other phenomena. LST and land surface emissivity (LSE) determine the longwave radiation in land surface radiation and energy budgets (Liang and Wang, 2019). Thus, there is a strong and complicated physical correlation between LST and  $T_a$ . It can be seen from Fig. 8 that all four daily LSTs, especially nighttime LSTs, had relatively high FI for both clear-sky model and cloudy-sky model I. Among all the daily LSTs, nighttime LSTs outweighed daytime LSTs, and Terra nighttime LST was of higher importance than Aqua nighttime LST, which was consistent with the findings of many studies (Benali et al., 2012; Li and Zha, 2019; Zhang et al., 2011). This phenomenon is largely due to the fact that the pass time of Terra was at an approximate local solar time of 10:30 p.m. during the night, when the measured LST is closer to daily mean  $T_a$ . In Lin's study, the MAE between LST and  $T_a$  during the day and during the night were calculated separately, finding that there was better agreement between LST and  $T_a$  during the night (Lin et al., 2012). In addition, because of the lack of solar radiation and its influence on the thermal infrared signal, remotely sensed nighttime LST products usually have higher stability (Benali et al., 2012; Vancutsem et al., 2010).

Assimilated  $T_a$  also mattered considerably for  $T_a$  estimation models. Its FI was second only to Terra nighttime LST for clear-sky model and highest for cloudy-sky model I and cloudy-sky model II. For cloudy-sky model I, originally missed LSTs were replaced with clear-sky values of a near date, and the error introduced by this simple LST gap-filling strategy resulted in a decrease in the overall LST accuracy, thereby leading the FI of assimilated  $T_a$  to exceed that of LSTs. Compared with the cloudy-sky model I, assimilated  $T_a$  was of higher importance with a FI of 6.65 for cloudy-sky model II, indicating that it became the absolute dominant factor in  $T_a$  estimation when LST was not included in the  $T_a$  estimation model. Cloudy-sky model II also achieved satisfactory accuracy in the validation results. This demonstrates that although the spatial resolution of the assimilated  $T_a$  is relatively coarse, it can be the supplement and substitute of MODIS LSTs and provide the initial value or first guess for models to predict  $T_a$  with a higher resolution.

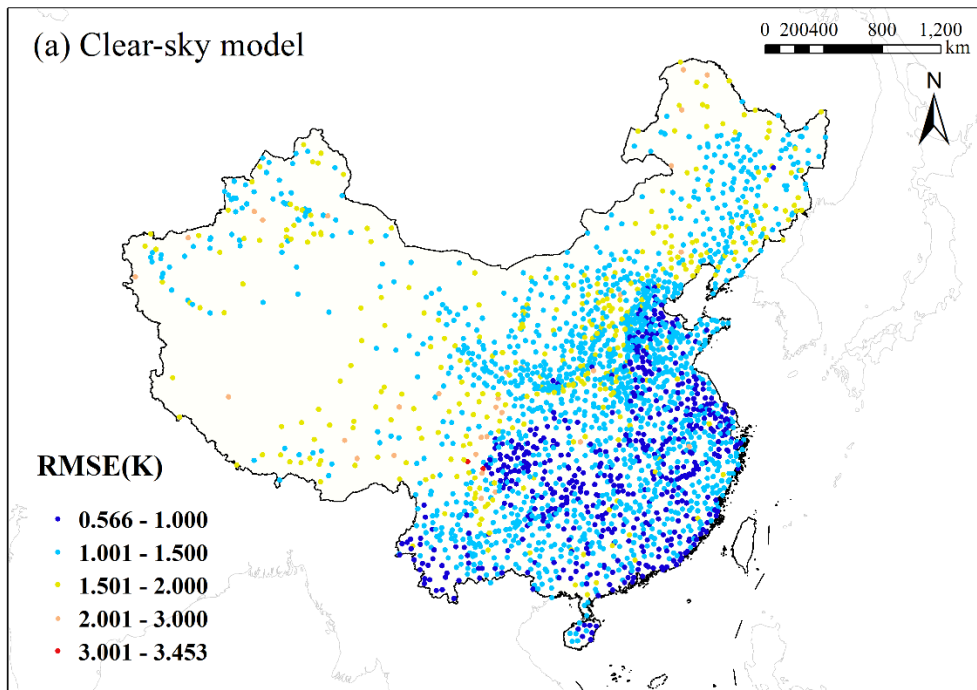
Radiation products and other features helped to improve the accuracy of  $T_a$  estimation models to a small extent. Among them, latitude, longitude, elevation and day of year had relatively high importance in all three models. Latitude and longitude determine the relative position of the sun influencing day length, and thus the distribution of total solar radiation the surface receives throughout the year, which in turn affects the patterns of  $T_a$  (Benali et al., 2012). Elevation affects how the ground is heated and how much radiation energy is absorbed by the atmosphere, resulting in vertical variations in  $T_a$ . In addition, the relationship between  $T_a$  and LST has great heterogeneity in different regions and at different times and is greatly affected by

surface characteristics and atmospheric conditions. The day of year helps to explain the seasonal changes in atmospheric physical conditions, chemical composition, and surface characteristics to distinguish the different relationships between  $T_a$  and LST in different seasons and then improve the accuracy of  $T_a$  estimation (Yao et al., 2019; Zhang et al., 2011). For LAI, DSR, and ALB, it is likely that other collinear features in the models made the information provided by them redundant, so their FI was relatively low in the  $T_a$  estimation models. However, in the analysis of the results of some stations, it is found that adding radiation features to the models helped improve the  $T_a$  estimation accuracy on some days. The radiation features can play a supplementary role in the case of some other features that do not perform well. Therefore, we finally decided to retain the radiation features in the  $T_a$  estimation models.

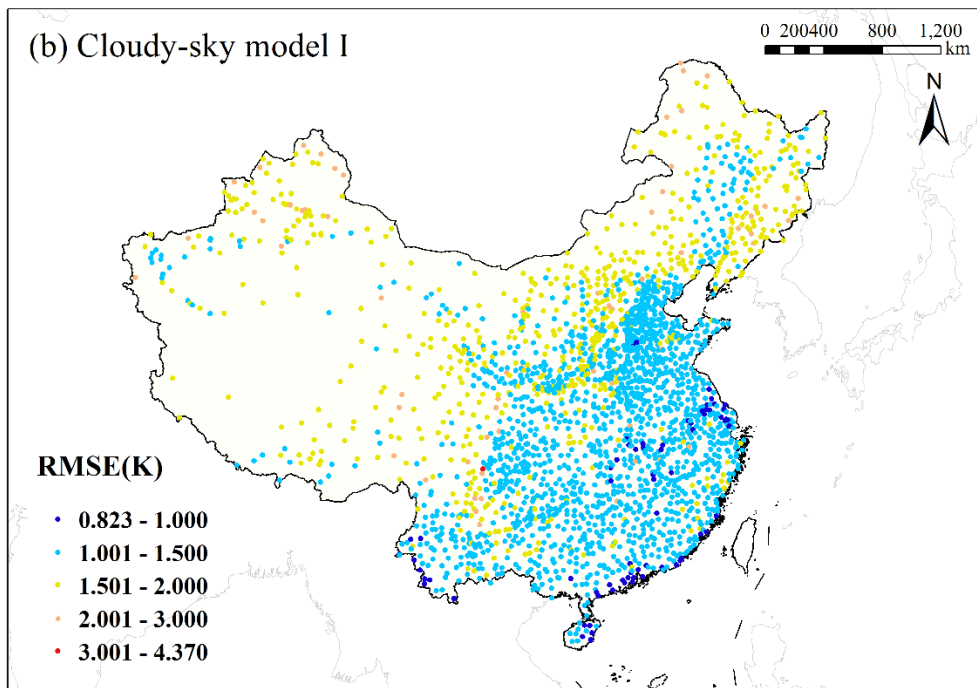
#### 4.4 Spatial distribution of accuracy

The RMSE value was calculated for each meteorological station that recorded more than 20 days for all three weather conditions. To obtain a deeper understanding of the spatial distribution of model performance, the RMSE spatial distribution of stations for the three models was mapped, as shown in Fig. 11. It is evident that the model performance varied at different geographical locations for all three models. The clear-sky model presented the most stable results in different regions compared with cloudy-sky model I and cloudy-sky model II, with RMSE values of all stations ranging from 0.566 K to 3.453 K. The RMSE range of cloudy-sky model I was 0.823–4.370 K, and that of cloudy-sky model II was 0.809–4.198 K. The spatial patterns of cloudy-sky model I and cloudy-sky model II were generally similar, but for cloudy-sky model II there were more stations with good performance ( $RMSE < 1$  K) and poor performance ( $RMSE > 3$  K), showing relatively poor stability.

Overall, the stations in central, eastern, and southern China presented high levels of accuracy for all three models, with RMSE values of most stations in these places less than 1.5 K. Most stations with large RMSE values were located in southwest, northwest, and northern China, which was consistent with the results of Shen et al. (2020), and the RMSE values of cloudy-sky model II in these positions were larger than those of clear-sky model and cloudy-sky model I. On the one hand, the spatial heterogeneity of model performance is largely because of the uneven distribution density of meteorological stations. As can be seen from the geographical locations of the meteorological stations used in this study in Fig. 1, it is obvious that stations in central, eastern, and southern China are densely distributed, while stations in northern and western China are relatively rare, which may contribute to the uneven distribution of model performance. Additionally, the terrain environment in central, eastern, and southern China is not complex, while high elevation and some climate types will increase the uncertainty of  $T_a$  estimation in northern and western China. The climate types of stations with poor performance were mostly temperate continental and plateau mountain climates, and the land cover types were mainly bare land and grassland. It can be seen from Table 4 that cloudy-sky model II showed relatively poor performance for these two land cover types. Therefore, there was a certain uncertainty when only assimilated  $T_a$  and other features except LSTs were included to predict  $T_a$  in places with these climate and land cover types. Overall, although the spatial distribution of the model performance was relatively uneven, the  $T_a$  estimation models for different weather conditions all showed satisfactory performance.

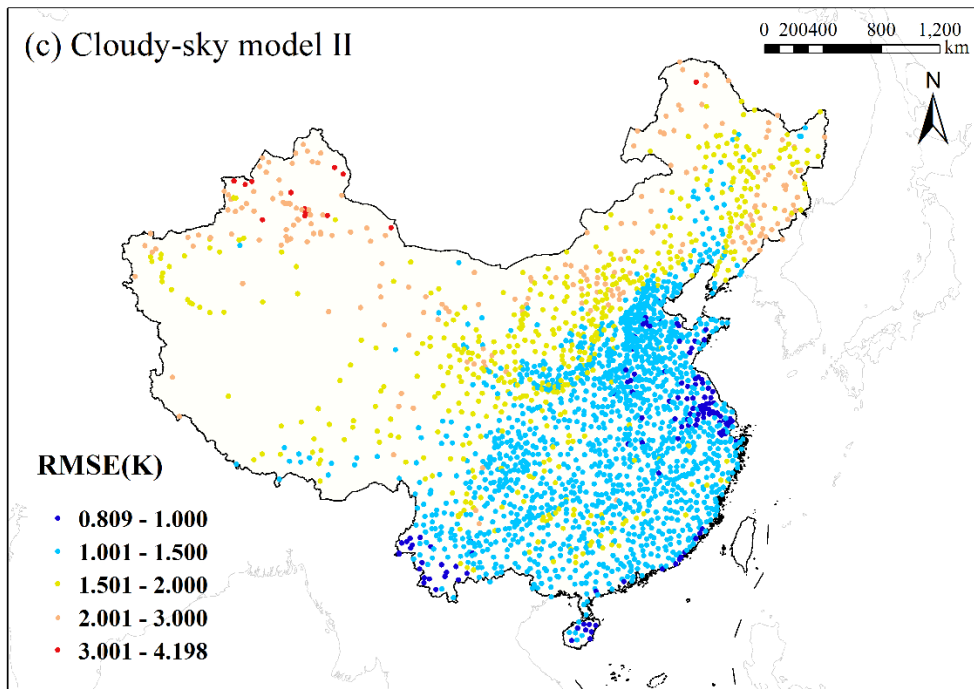


(a) RMSE spatial distribution for clear-sky model.



(b) RMSE spatial distribution for cloudy-sky model I.





(c) RMSE spatial distribution for cloudy-sky model II.

Figure 11. RMSE spatial distribution of stations for three RF models.

#### 470 4.5 Seasonal distribution of accuracy

The model performance at the monthly scale was also evaluated, and the RMSE monthly distribution for the three models is shown in Fig. 12. The RMSE range of the clear-sky model was 1.109–1.508 K, cloudy-sky model I was 1.178–1.692 K, and cloudy-sky model II was 1.056–1.777 K. It is obvious that there was temporal heterogeneity in the model performance, and the estimation accuracy presented similar seasonal variation patterns for all three models. The RMSE values were lower in summer and autumn, and higher in spring and winter, reaching a peak in February and reaching a bottom in July or August. We can conclude that models performed better in warm days, with RMSE values of all three models below 1.22 K in July and August. This finding was consistent with the validation results at the monthly scale of Yao et al. (2019) and Li and Zha (2019). This phenomenon may be partly due to the fact that China is vast in territory with a latitudinal difference between the northernmost station and the southernmost stations of about 30°, so the range of  $T_a$  is wider in cold days than in hot days.

480 Monthly differences in model performance also indicated that the relationship between  $T_a$  and other factors varied seasonally and may have been more consistent in the same month. It was confirmed in the research of Yao et al. (2019) that modeling data of the same month together could achieve more accurate results. Therefore, although day of year was used in the modeling in this study, this temporal difference was not completely eliminated. Modeling the datasets of all seasons together in this

study may increase the temporal heterogeneity of accuracy. It is worthwhile to consider grouping the data of the same month  
485 to establish monthly models in the future, which may be conducive to further improving the accuracy of  $T_a$  estimation.

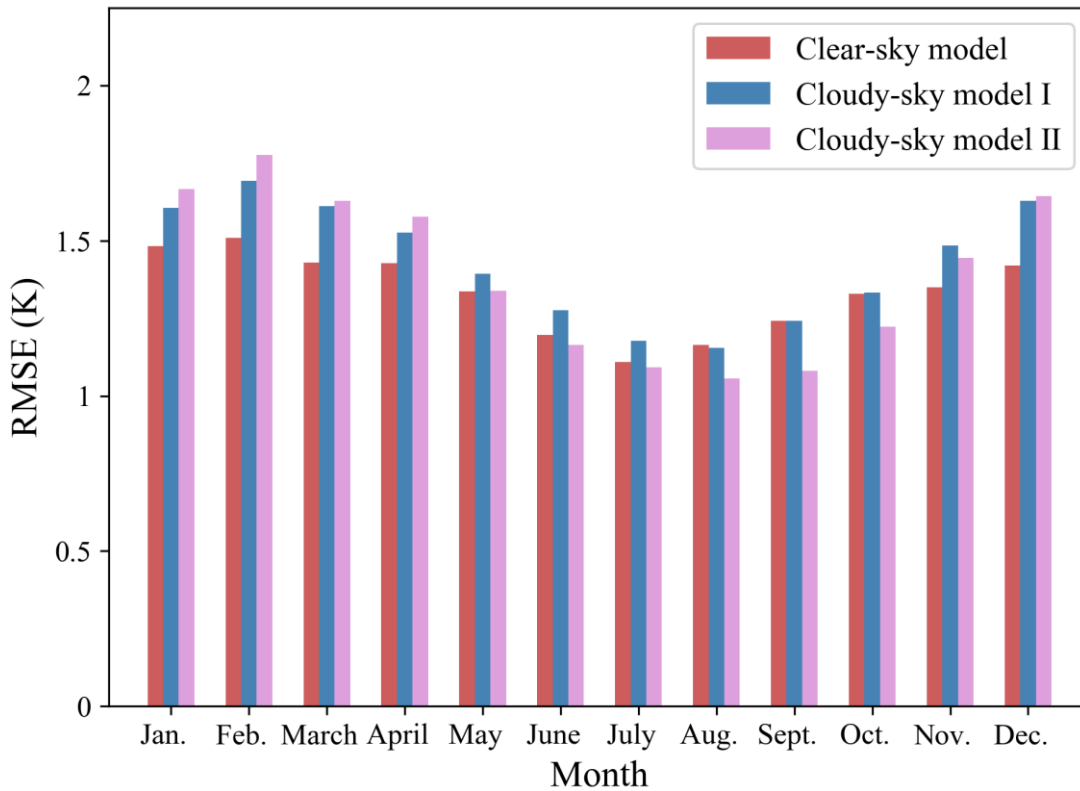


Figure 12. RMSE monthly distribution for three RF models.

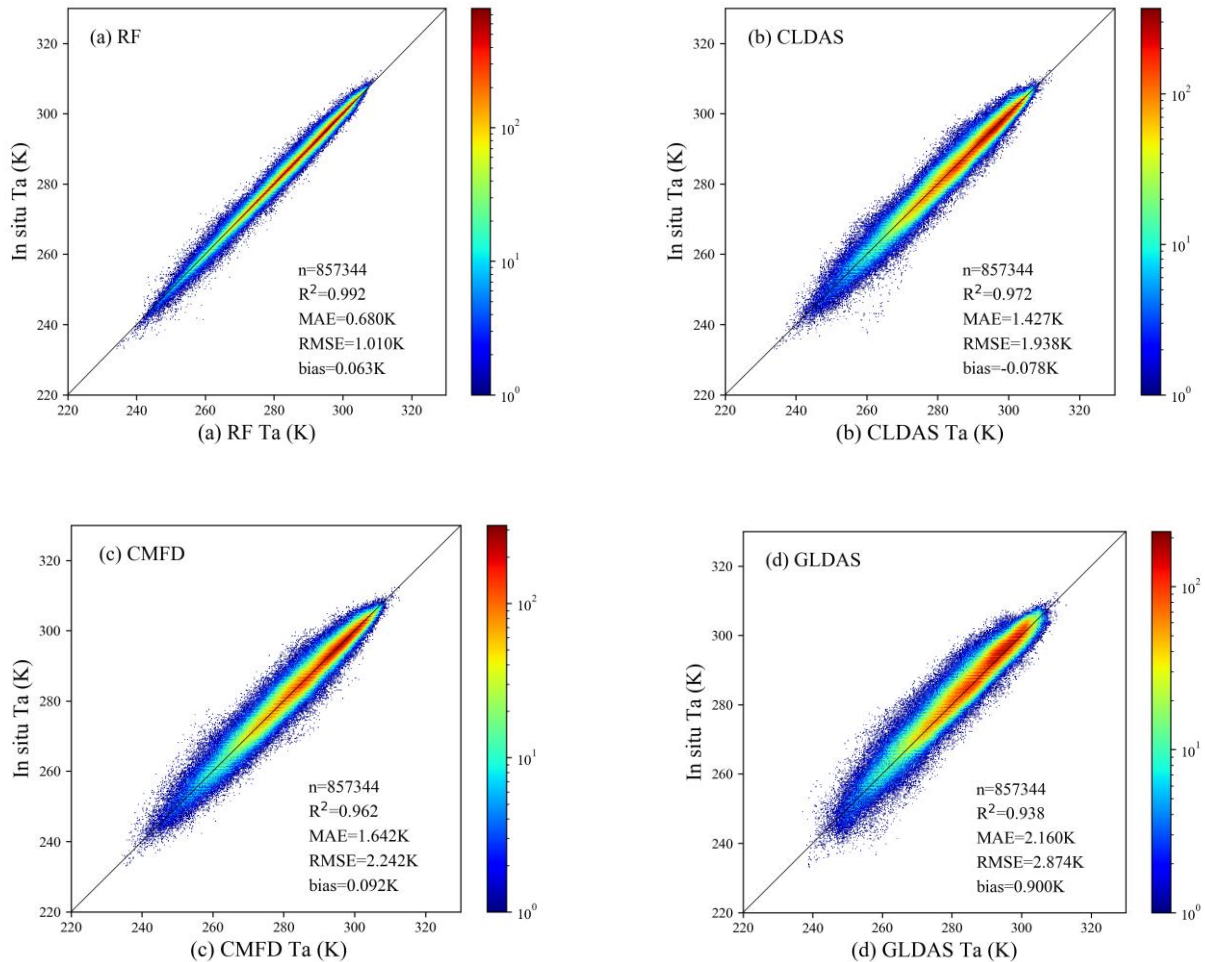
### 5 Comparison with existing datasets

For a more comprehensive evaluation of the estimated daily mean  $T_a$ , we compared it with three reanalysis and meteorological  
490 forcing datasets including CLDAS, CMFD, and GLDAS in terms of validation statistics and spatiotemporal patterns. The  
station observations in 2010 were used to validate the accuracy of these four  $T_a$  datasets. It should be noted that we estimated  
daily mean  $T_a$  for the period ending at local midnight rather than 24:00 UTC. To ensure the time consistency, we calculated  
the average value of all simulations on a local day as the daily mean  $T_a$  for the reanalysis and meteorological forcing datasets.  
The statistical results and the density scatter plots are shown in Table 6 and Fig. 13, respectively. It can be seen that compared  
495 with the reanalysis datasets, the RF  $T_a$  presented the highest consistency with the station observations, with the best  
performance in all accuracy assessment criteria ( $R^2$ , MAE, RMSE, and bias values were 0.992, 0.680 K, 1.010 K, and 0.063  
K, respectively). The points in the density scatter plot of the RF  $T_a$  were more concentrated near the 1:1 line. CLDAS  $T_a$  and  
CMFD  $T_a$  both showed near zero bias with the station observations, but their RMSE values were both close to 2 K. GLDAS

500  $T_a$  reported slight underestimation (bias = 0.900 K). In general, this comparison confirmed the applicability of RF method in  $T_a$  estimation and the higher accuracy of our estimated  $T_a$  compared to the reanalysis products.

**Table 6. Evaluation results of four datasets in 2010.**

$T_a$	$R^2$	MAE (K)	RMSE (K)	Bias (K)
RF	0.992	0.680	1.010	0.063
CLDAS	0.972	1.427	1.938	-0.078
CMFD	0.962	1.642	2.242	0.092
GLDAS	0.938	2.160	2.874	0.900

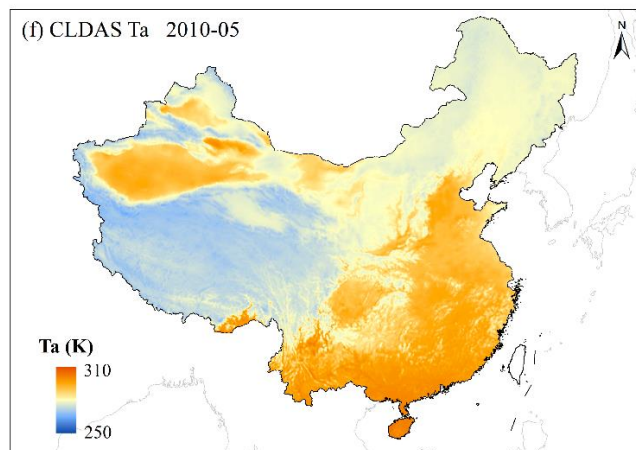
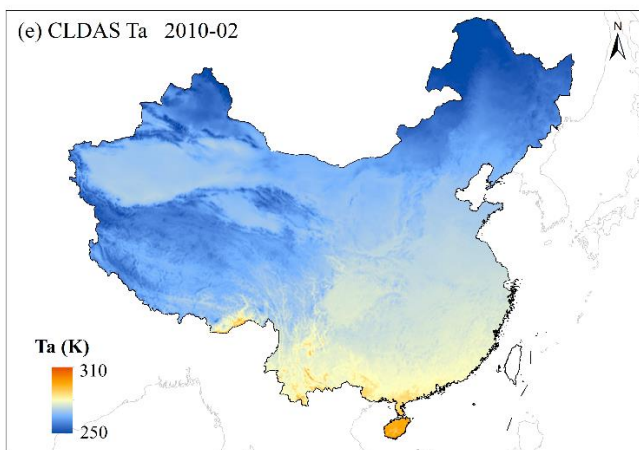
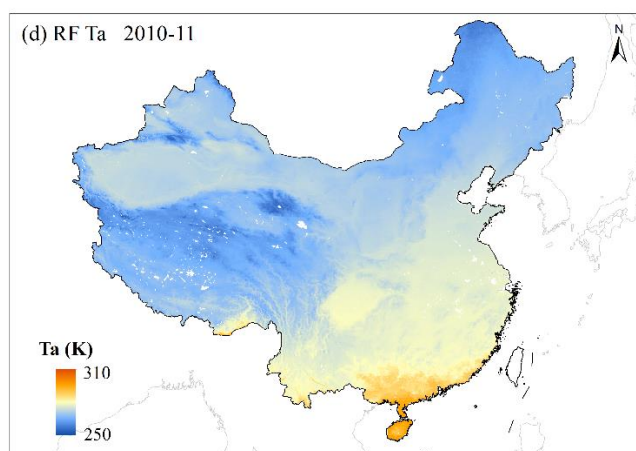
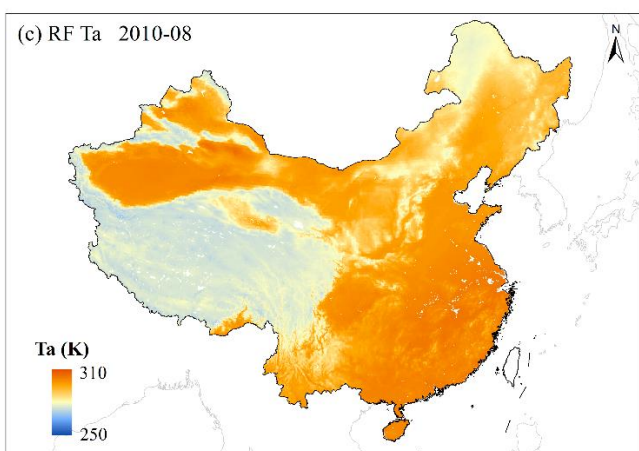
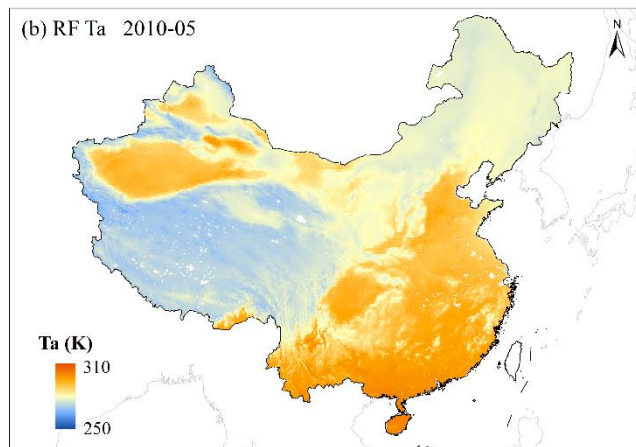
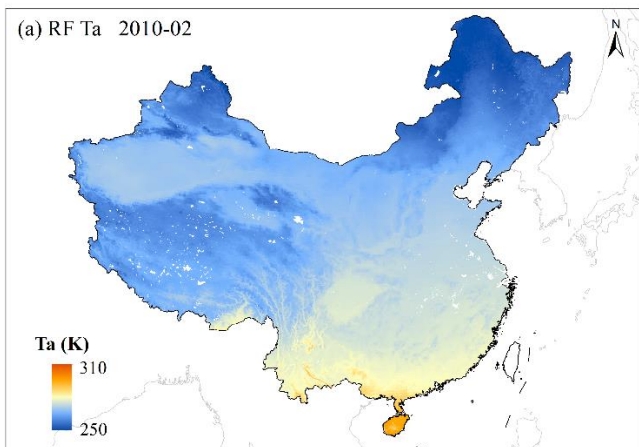


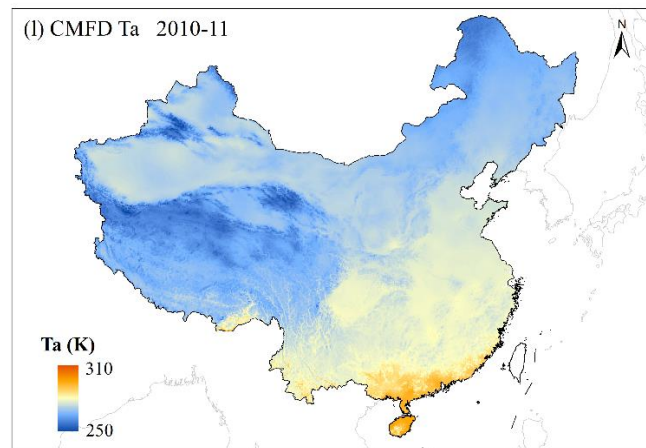
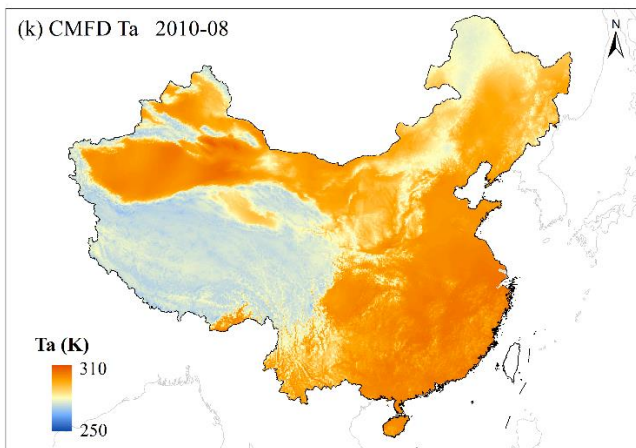
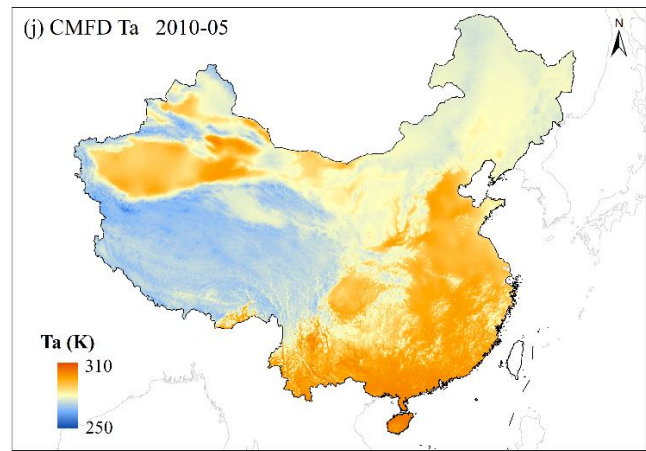
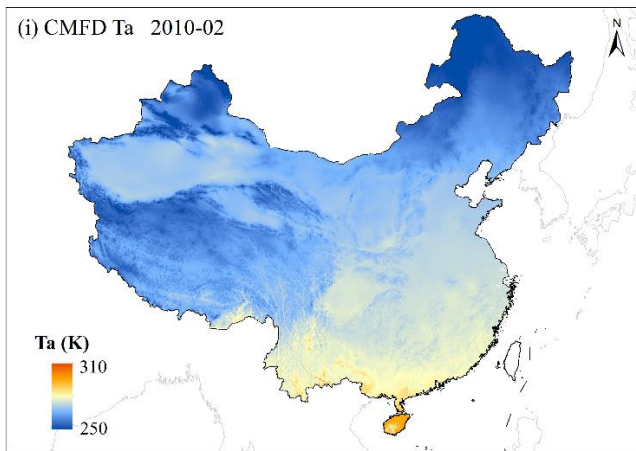
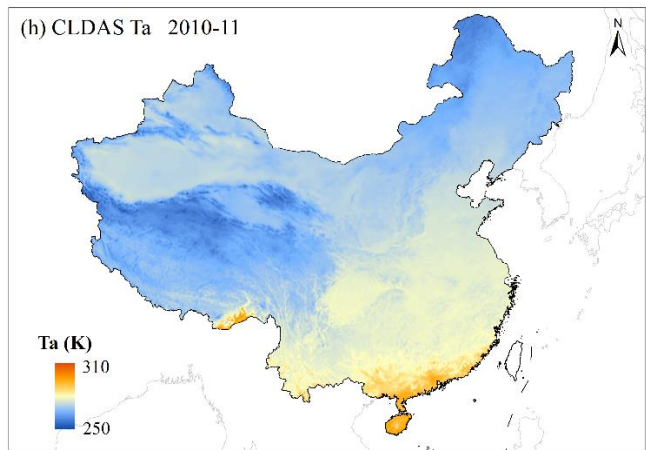
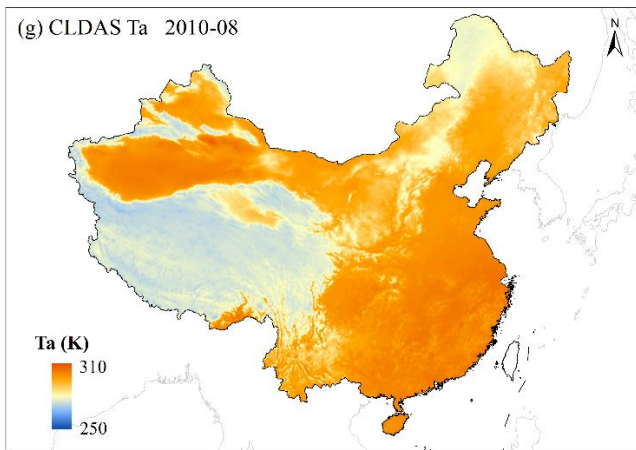
**Figure 13. Density scatter plots of the estimated  $T_a$  and reanalysis  $T_a$  against the in situ  $T_a$  in 2010.**

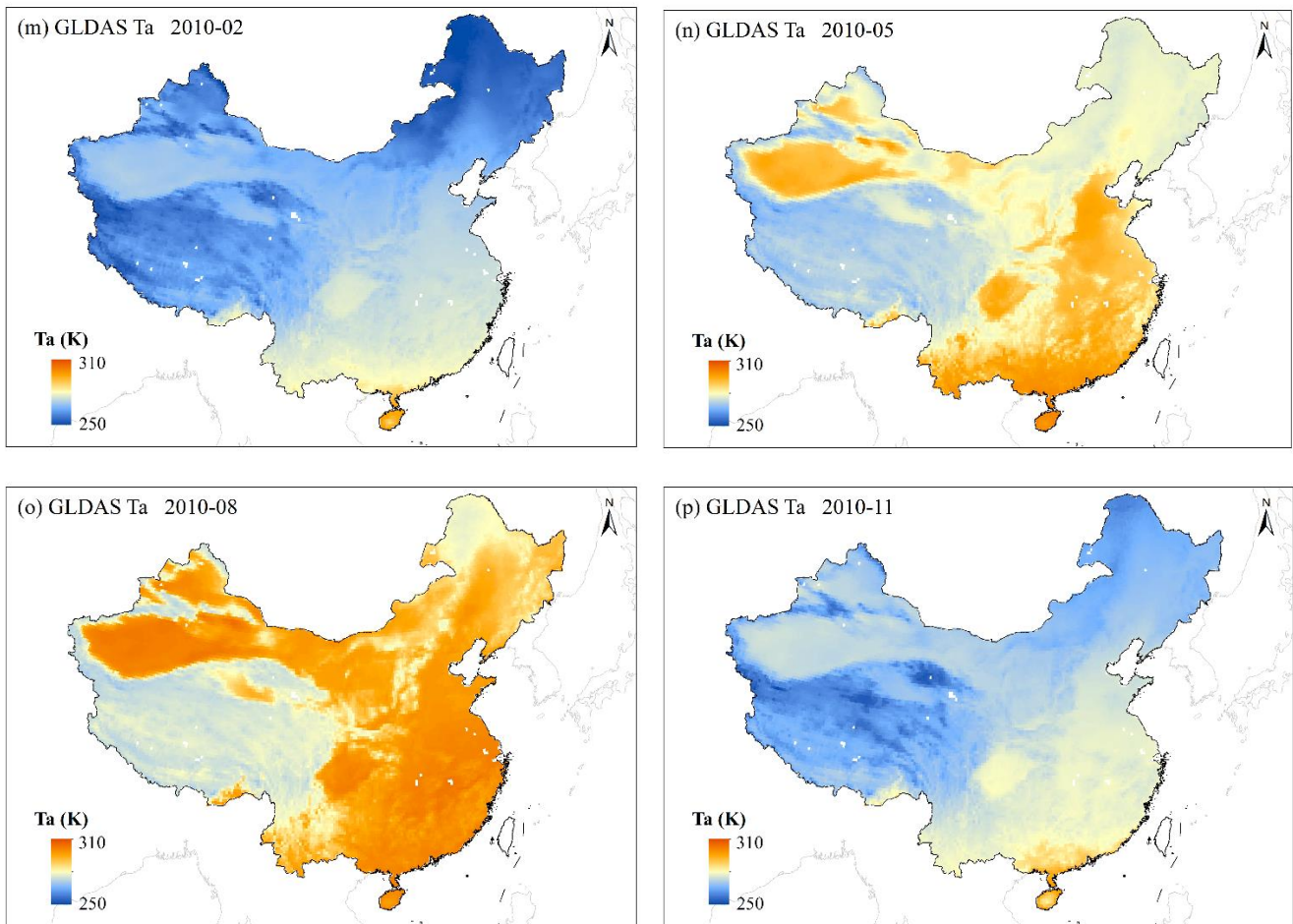
505 In addition, the spatiotemporal patterns of these four  $T_a$  datasets were compared. We calculated the monthly mean  $T_a$  in 2010 for all datasets. The RF monthly mean land  $T_a$  mappings over mainland China in February, May, August, and November

2010 are shown in Fig. 14 (a–d). The CLDAS (Fig. 14 (e–h)), CMFD (Fig. 14 (i–l)), and GLDAS (Fig. 14 (m–p)) monthly mean  $T_a$  mappings in the same months are also shown in Fig. 12. The spatial resolutions of RF, CLDAS, CMFD, and GLDAS monthly mean  $T_a$  are approximately  $0.01^\circ \times 0.01^\circ$ ,  $0.0625^\circ \times 0.0625^\circ$ ,  $0.1^\circ \times 0.1^\circ$ , and  $0.25^\circ \times 0.25^\circ$ , respectively. We used  
510 GLDAS assimilated  $T_a$  and GLASS LAI in  $T_a$  estimation, which have no value in most water bodies, so  $T_a$  of these areas was also not estimated.

As can be seen from Fig. 14, it's clear that these four datasets basically showed a high degree of consistency in the spatiotemporal patterns over mainland China overall. China has a vast territory and its topography is high in the west and low in the east. The spatial patterns of  $T_a$  over mainland China present great seasonal heterogeneity. In winter, the sun shines  
515 directly in the southern hemisphere and the northern hemisphere receives less solar energy consequentially. The  $T_a$  in northern China and Tibetan Plateau are generally low, and the  $T_a$  difference between the north and the south exceeds 50 K. On the contrary, in summer, as the sun shines directly in the northern hemisphere,  $T_a$  in most parts of China are generally high except for the Tibetan Plateau, with little  $T_a$  difference between the north and the south. As an expectable consequence of higher spatial resolution, the RF  $T_a$  mappings were capable of providing more details about the  $T_a$  spatial patterns than the reanalysis  
520 and meteorological forcing  $T_a$ , especially in mountainous areas with complicated terrain. GLDAS  $T_a$  presented an obvious pixel effect because of the relatively coarse spatial resolution. In summary, the all-sky daily mean [land](#)  $T_a$  product developed in this study has achieved satisfactory accuracy and high spatial resolution simultaneously, which can reveal the seasonal variation trend and the spatial patterns of  $T_a$  over China well. This product can provide a long time series of daily mean  $T_a$  with the spatial resolution of 1 km over mainland China, which fills the current dataset gap in this field. Moreover, this product  
525 is also conducive to observing and analysing the climate characteristic of China and plays an important role in the studies of climate change and hydrological cycle.







535 **Figure 14. Mappings of monthly mean  $T_a$  over mainland China. (a–d) are the RF  $T_a$ , (e–h) are the CLDAS  $T_a$ , (i–l) are the CMFD  $T_a$ , (m–p) are the GLDAS  $T_a$  in February, May, August, and November 2010, respectively. The white pixels in mainland China indicate no data value, which are always water bodies.**

## 6 Data availability

540 The daily mean [land](http://doi.org/10.5281/zenodo.4399453)  $T_a$  product over mainland China is freely available at <http://doi.org/10.5281/zenodo.4399453> (Chen et al., 2021b) from 2003 to 2008 and at the University of Maryland ([http://glass.umd.edu/Ta\\_China/](http://glass.umd.edu/Ta_China/)) from 2003 to 2019 currently. In order to make this big dataset easier to understand and use, we made a provincial sub-dataset with a smaller geographic coverage. An all-sky  $0.01^\circ$  daily  $T_a$  product over Beijing (2003–2019) was generated from the developed dataset over mainland China after resampling and clipping, and it is publicly available at <http://doi.org/10.5281/zenodo.4405123> (Chen et al., 2021a). The MODIS product and GLDAS dataset were downloaded via the website <https://earthdata.nasa.gov/>. The GLASS products 545 were downloaded at [www.glass.umd.edu](http://www.glass.umd.edu). The CLDAS dataset and CMFD dataset were downloaded at <http://tipex.data.cma.cn> and <http://data.tpdc.ac.cn/>, respectively.

## 7 Conclusion

$T_a$  is a key variable in climate and global change research. In this study, we developed an all-sky 1 km daily mean land  $T_a$  product for 2003–2019 over mainland China mainly based on MODIS and GLDAS data using the RF method. An efficient temporal gap-filling method was first used to fill MODIS LST gaps under cloudy-sky conditions. We predicted  $T_a$  under three different weather conditions separately: clear-sky conditions (when the daily LSTs are all clear-sky), cloudy-sky conditions case I (when the daily LST gap(s) can be filled), and cloudy-sky conditions case II (when the daily LST gap(s) cannot all be filled). The validation results using station measurements (1/5 of the total data from 2003 to 2016 selected randomly), which were not used for model training, showed that  $R^2$  values were 0.986, 0.984, and 0.984, RMSE values were 1.342 K, 1.440 K, and 1.396 K for clear-sky model, cloudy-sky model I, and cloudy-sky model II, respectively. In general, the models showed excellent performance at most stations, with a mean RMSE of 1.383 K, and there were 97 % stations with RMSE values less than 2 K and only 1 of 2320 stations with an RMSE value greater than 3 K. In addition, we examined the spatiotemporal patterns and land cover type dependences of model accuracy and concluded that model performance under all conditions was acceptable overall, despite some heterogeneity under different conditions. The relative contributions of different features to models were also quantitatively analysed, and it was found that LST and assimilated  $T_a$  were of great significance in  $T_a$  estimation. Finally, we compared the  $T_a$  dataset in 2010 with CLDAS, CMFD, and GLDAS datasets, finding great consistency in the spatiotemporal patterns. The estimated  $T_a$  in 2010 reported significantly higher accuracy against the station observations, with  $R^2$ , RMSE, and bias values of 0.992, 1.010 K, and 0.063 K, respectively.

Overall, this study developed a robust scheme to use machine learning method to estimate all-sky daily mean  $T_a$  over a large spatial and temporal range. This approach can be applied globally. The generated all-sky  $T_a$  product have achieved a high degree of accuracy compared with the existing datasets, which fills the current dataset gap in this field and plays an important role in many scientific fields such as climate change, hydrological cycle, and energy balance. Future work should focus on developing better LST gap-filling methods, experimenting with more advanced deep learning methods that take into account the spatial and temporal dependence of  $T_a$ .

### 570 Author contributions

SL and YC contributed to the design of this study and developed the overall methodology. HM, BL, and YC collected and pre-processed the data. YC carried out the experiments. YC, BL, TH, and QW produced the product. YC wrote the first draft. All authors revised the manuscript.



## Competing interests

575 All authors declare that they have no conflicts of interest.

## Acknowledgements

We gratefully acknowledge the data support from “National Earth System Science Data Center, National Science & Technology Infrastructure of China (<http://www.geodata.cn>)”. We thank the GLASS team for providing the data used in this study, which can be downloaded at [www.glass.umd.edu](http://www.glass.umd.edu). We are grateful to the National Aeronautics and Space Administration team for providing the MODIS product and GLDAS data freely download via the website <https://earthdata.nasa.gov/>. We also thank the CLDAS and CMFD teams for providing available CLDAS datasets and CMFD datasets freely download via the website <http://tipex.data.cma.cn> and the website <http://data.tpc.ac.cn/>, respectively. Additionally, authors would like to acknowledge the Chinese Meteorological Administration for providing available in situ measurements. We are also very grateful for the reviewers to make the valuable comments and suggestions.

## 585 Financial support.

This study was partially supported by the Chinese Grand Research Program on Climate Change and Response under the project 2016YFA0600103.

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