



Supplement of

A submesoscale eddy identification dataset in the northwest Pacific Ocean derived from GOCI I chlorophyll a data based on deep learning

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S1 Sensitivity testing of confidence threshold

There are some non-artificial interference methods to determine the value of confidence, such as adding confidence as a parameter to the loss function for model training to obtain higher mAP, but in industry applications, the actual effect of identification is more reliable than these parameters. The confidence of 0.2 was chosen because many eddies below 0.2 were wrong so I chose to keep eddies above the confidence of 0.2. It is preferable to cut some SMEs, but also to improve the reliability of the analytical results generated by the dataset. Additionally, I can upload the full eddies data of the confidence from 0-1. Below Fig. S1 are a few low confidence images.



Figure S1: Image identification results of SMEs.

We also verify some of the results with different confidence thresholds. As shown in Fig. S2 below, different confidence levels do not affect the conclusions.



Figure S2: (a)(c) and (b)(d) show the diameter distribution histograms of AE and CE, respectively. (e) and (g): The figure shows the variation in the number of identified eddies over hours. (f) and (h): The figure shows the seasonal variation in the number of identified eddies. (a)(b)(e)(f) is the results with a confidence minimum of 0.5 and the confidence minimum of (c)(d)(g)(h) is 0.8.

S2 A comparison test with or without CLAHE

CLAHE is employed to improve the clarity of chlorophyll spirals, enabling the training and identification of these spirals by AI in sea areas with chlorophyll concentration differences spanning several orders of magnitude using the same training dataset. The absence of CLAHE technology presents two significant challenges, as illustrated in Fig. S3. Firstly, it increases the complexity of establishing the training dataset, and secondly, it diminishes the accuracy of AI-based recognition and the reliability of recognition results.



Figure S3: A comparison of eddy identification with and without the application of CLAHE technology. Panels (a) and (c) demonstrate the use of CLAHE, while panels (b) and (d) do not.

We conducted chlorophyll image identification at 0:00 using CLAHE and without it, as demonstrated in Fig. S4. The disparity between the two approaches is striking, underscoring the necessity of employing CLAHE. Without CLAHE, a substantial number of low-confidence eddies would be erroneously identified, leading to an overall underestimation of reliable eddies. However, given the absence of comparable submesoscale eddy datasets, quantitatively assessing the extent to which CLAHE may lead to overestimation or underestimation remains a challenging task.



Figure S4: SMEs confidence distribution histogram. (a)(c) and (b)(d) show the confidence distribution histograms of AE and CE, respectively.

S3 Meanings of variables and sample code

The document is used to clarify the meanings of various variables of the dataset (Table S1) and provide

an example of processing the data using Python code.

The name of each folder represents the UTC of the files inside.

| Variable name | Description | Units or Type |
|-----------------------|--|---------------------------|
| time | The time of obtained chlorophyll-a distribution image. | 'YYYYMMDD' |
| AE_sum | The number of anticyclonic | |
| CE_sum | The number of cyclonic | |
| predict | Prediction results in an image coordinate system derived | Array[n][7]* |
| | from the deep learning model. | |
| eddy_type_AE0_CE1 | The type of eddy (0: anticyclonic; 1: cyclonic) | Array[n] |
| center_lon_lat | The longitude and latitude coordinates of the eddy center | Array[n][2] |
| | pixel. | |
| box_min_lon_lat | The longitude and latitude coordinates of the pixel in the | Array[n][2] |
| | upper left corner of the rectangular box. | |
| box_max_lon_lat | The longitude and latitude coordinates of the pixel in the | Array[n][2] |
| | bottom right corner of the rectangular box. | |
| inradius | The radius of the circle inside the rectangular box | Array[n](meter) |
| internal_ellipse_area | Area of the internal ellipse of the rectangular box | Array[n](m ²) |
| confidence | Confidence of each eddy identification. Eddies with | Array[n] [0.2,1] |
| | confidence levels below 0.2 were considered to be | |
| | undesirable for data analysis. | |

| Table S1: The meanings o | f various | variables | of the | dataset. |
|--------------------------|-----------|-----------|--------|----------|
|--------------------------|-----------|-----------|--------|----------|

*Array[n][7] represents a two-dimensional array of n rows and 7 columns, n is the sum of the number of cyclones and anticyclones.

You can perform eddy analysis by Python, or you can download other matching files such as chlorophyll, salinity, and temperature data for matching analysis.

The following example code plots the diameter distribution histograms of anticyclonic and cyclonic by the dataset.

| 1. import numpy as np | | |
|--|--|--|
| 2. import glob | | |
| 3. import pickle | | |
| 4. import json | | |
| 5. import matplotlib.pyplot as plt | | |
| 6. import matplotlib.ticker as ticker | | |
| 7. from tqdm import tqdm | | |
| 8. | | |
| 9. geo_all = [np.array([]), np.array([])] | | |
| 10. file_pre = 'E:\\predict\\' # The file path needs to be changed | | |
| 11. for i in range(8): | | |
| 12. $str_i = '0' + str(i) + '/'$ | | |
| 13. | | |
| 14. for month in range(12): | | |
| 15. $str_month = '0' + str(month + 1)$ if month < 9 else $str(month + 1)$ | | |
| 16. print(i, ' ' + str_month) | | |
| 17. $geo_dis = np.zeros((2, 5685, 5567))$ | | |
| 18. files_pre = glob.glob(file_pre + str_i + 'dataset\\????' + str_month + '??' + str_i[0:2] + '.j | | |
| on') | | |
| 19. for file in tqdm(files_pre): | | |
| 20. with open(file, 'rb') as f: | | |
| 21. $dataset = json.load(f)$ | | |
| 22. type_index = np.array(dataset['results']['eddy_type_AE0_CE1']) == 0 | | |
| 23. a = np.array(dataset['results']['inradius'])[type_index] | | |
| 24. b = np.array(dataset['results']['inradius'])[~type_index] | | |
| 25. $geo_all[0] = np.concatenate([geo_all[0], a])$ | | |
| 26. $geo_all[1] = np.concatenate([geo_all[1], b])$ | | |
| 27. | | |
| 28. fig, $(ax, ax2) = plt.subplots(1, 2, figsize=(5, 2), dpi=300)$ | | |
| 29. plt.subplots_adjust(left=None, bottom=0.19, right=None, top=None, wspace=None, hspace= | | |
| 2) 30 av2 hist(app all[1] / 1000 * 2 hiss=np arange(0, 100, 5) aplar='#0000080' label='CE') | | |
| 31 av hist(geo_all[0] / 1000 * 2, bins=np.arange(0, 100, 5), color=#000000, label='($\Delta E'$) | | |
| $\frac{1}{32}$ | | |
| 32. as $\operatorname{grid}(\operatorname{le}_{-}^{"}, \operatorname{ln}_{-}^{"}) = 0.5 \operatorname{golog}_{-}^{""} \operatorname{ln}_{-}^{"} \operatorname{E}(\operatorname{ln}_{-}^{"})$ | | |
| 3. ax.grid(IS="", IW=0.5, color="#4E016U") | | |
| 34. ax.yaxis.set_major_locator(ticker.MultipleLocator(100 * 3)) | | |
| 36. av vavis set minor locator(ticker MultipleLocator(10)) | | |

- 37. ax.xaxis.set tick params(length=2, labelsize=6, which='minor')
- 38. ax.xaxis.set_tick_params(length=3, labelsize=8, which='major')
- 39. ax.yaxis.set_tick_params(length=3, labelsize=8)
- 40. ax.ticklabel_format(style='sci', scilimits=(0, 1), axis='y')
- 41.
- 42. ax2.grid(ls="--", lw=0.5, color="#4E616C")
- 43. ax2.yaxis.set_major_locator(ticker.MultipleLocator(1000 * 3))
- 44. ax2.xaxis.set major locator(ticker.MultipleLocator(10))
- 45. ax2.xaxis.set_minor_locator(ticker.MultipleLocator(5))
- 46. ax2.xaxis.set_tick_params(length=2, labelsize=6, which='minor')
- 47. ax2.xaxis.set tick params(length=3, labelsize=8, which='major')
- 48. ax2.yaxis.set tick params(length=3, labelsize=8)
- 49. ax2.ticklabel_format(style='sci', scilimits=(0, 1), axis='y')
- 50.
- 51. fig.text(0.43, 0.03, 'Diameter [km]', fontsize=8)
- 52. fig.text(0.45, 0.888, '(a)', fontsize=8)
- 53. fig.text(0.872, 0.888, '(b)', fontsize=8)
- 54. plt.show()

S4 Temporal variation of SMEs

Figure S4 shows the variation in the average number of eddies per hour, month, and year. Panels (a), (c), and (e) are plotted using the original dataset, while panels (b), (d), and (f) are based on cloud cover–processed data. It is evident that the number of eddies is significantly underestimated in the unprocessed dataset, and since cloud cover exhibits pronounced seasonal variability, this affects the analysis of seasonal eddy patterns.

In Figures S4(a) and (b), negative values for the number of eddies can be observed. This is because the number of eddies per day does not follow a normal distribution. Therefore, for the hourly eddy number statistic, I used the total number of eddies rather than the average count for statistical analysis. It is recommended that, when analyzing the spatiotemporal patterns of submesoscale eddies using this dataset, focusing on data from a specific hour would be more appropriate. The original Fig. 10 primarily illustrates the temporal distribution of all eddies within the dataset.



Figure S4: The average number of eddies per hour, month, and year. Panels (a), (c), and (e) are drawn directly from the original dataset, and panels (b), (d), and (f) are drawn from cloud-processed data.

Cloud cover does not directly affect the number of eddies but instead leads to missed detections by obstructing satellite imaging. We have uploaded data on the probability of cloud cover for each month, hour, and grid cell (values range from 0 to 1, with higher values indicating a greater probability of cloud cover; the file is named HH_MM_cloud_probability.pkl) to the zenodo site (DOI: 10.5281/zenodo.13989785). The contents above have been organized in the Supplement.